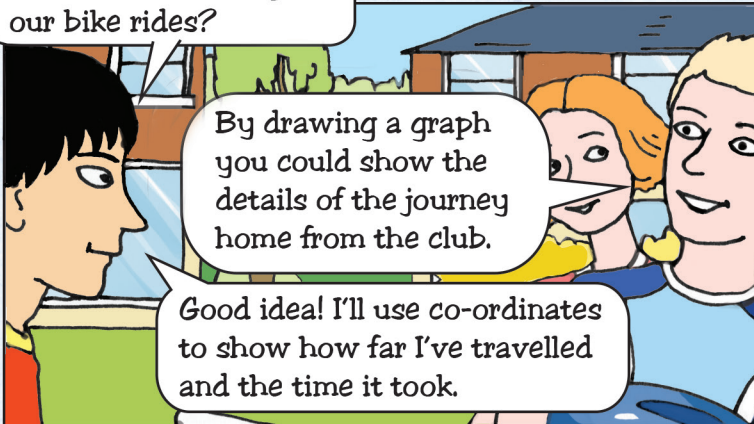


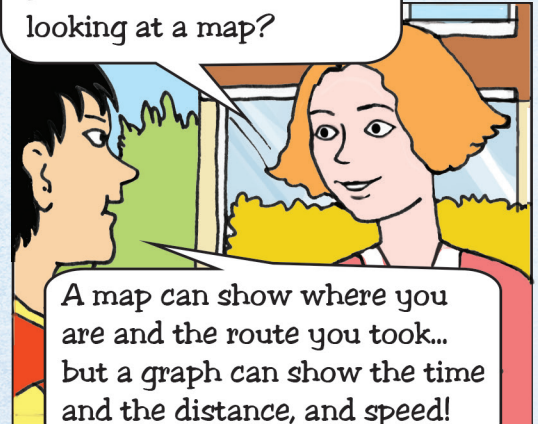
# Plot the point

Use Mathomat to find your location on the Cartesian plane.

How could we compare our bike rides?

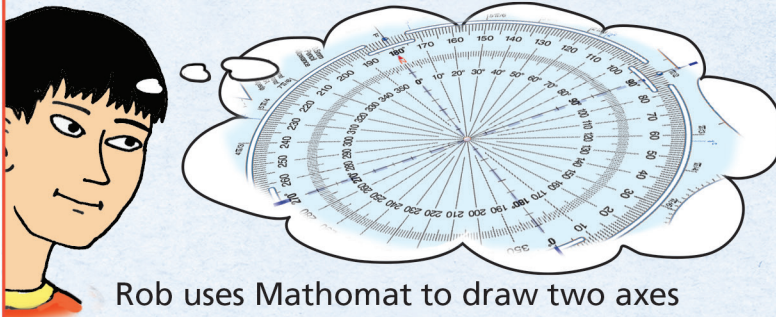


How is that different from looking at a map?

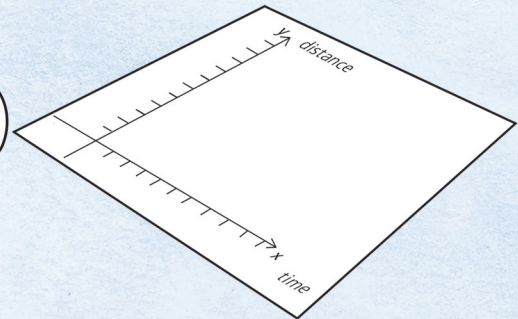


Mathomat's central crosshairs organise four sections. Time and distance graphs use the positive numbers.

The two axes form what mathematicians call 'The Cartesian plane'.

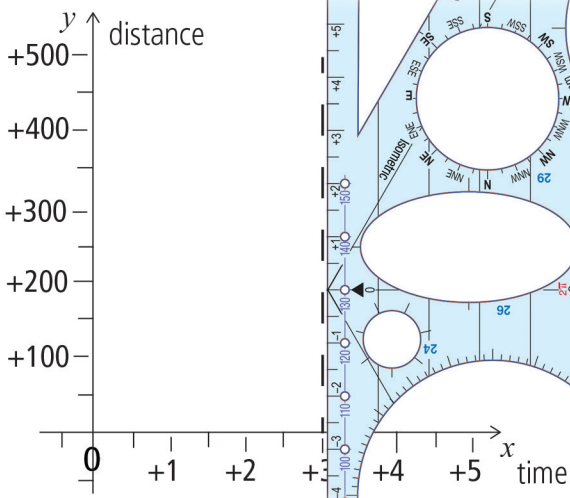


Rob uses Mathomat to draw two axes at right angles, one axis for time and one for distance.

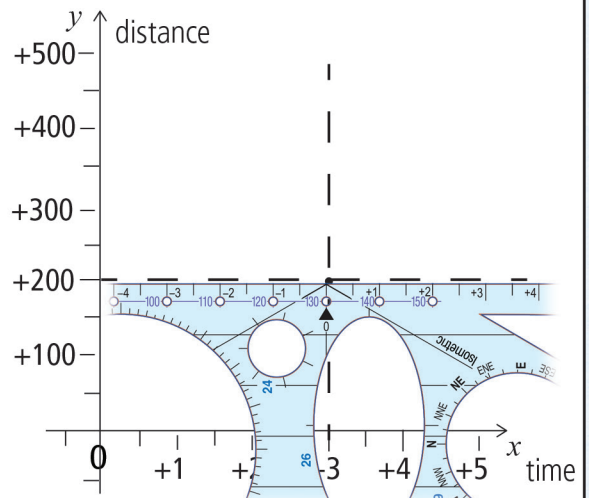


Rob records his journey on this plane, starting at (0,0).

## Plotting points on the Cartesian plane



The time and distance co-ordinates of his next position are (3, 200). Rob mentally positions a vertical ruler at 3, then marks it with Mathomat.



Then he locates the 200 metre line. These imaginary lines cross at (3, 200). Rob marks the point on his graph with Mathomat.

## Plot the co-ordinates to compare Rob's and Mark's journeys.

Here are all the co-ordinates for Rob's journey. The first number is **always** along the time axis.

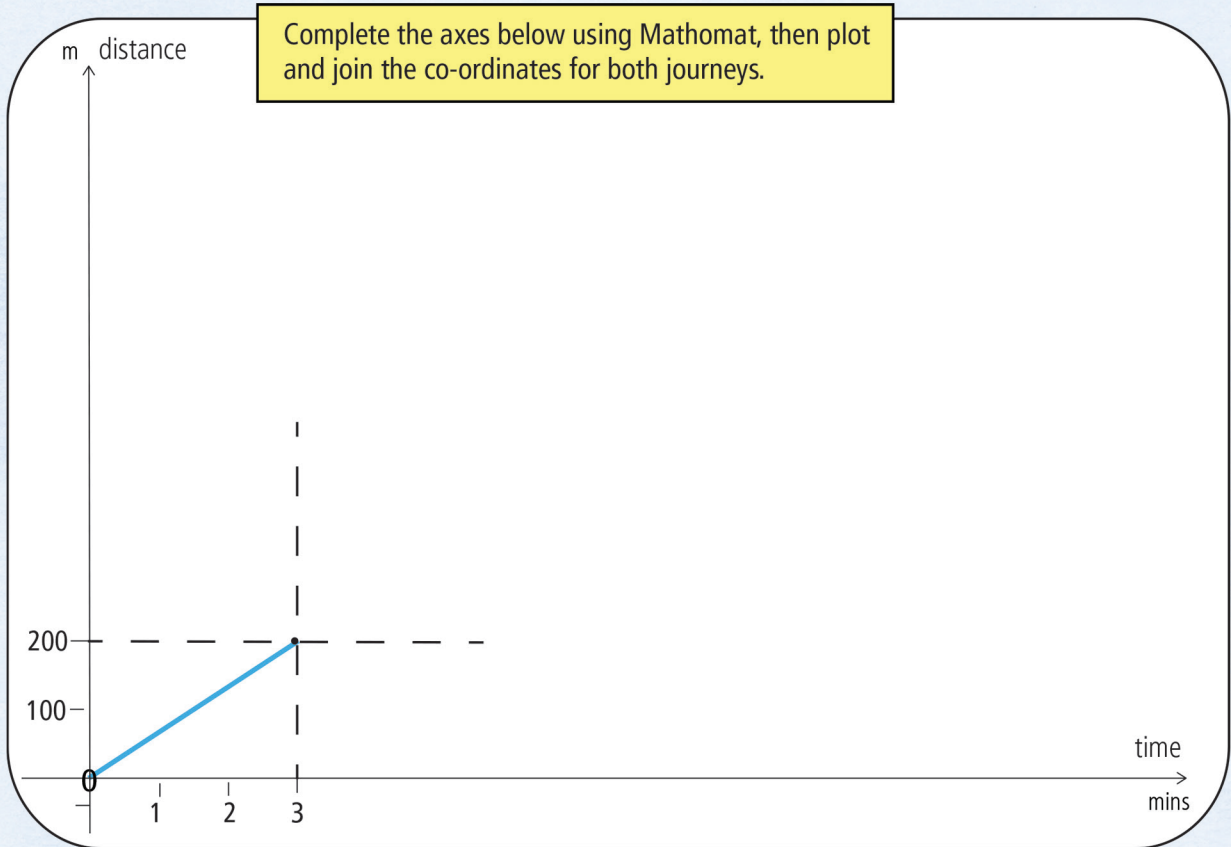
(0,0)  
 (3,200)  
 (5,400)  
 (6,400)  
 (11,600)  
 (12,700)  
 (15,1000)

Mark left the Club four minutes later than Rob. His graph starts at (4,0) if we measure from the same time as Rob. Mark's co-ordinates are:

(4,0)  
 (7,200)  
 (8,400)  
 (9,400)  
 (13,600)  
 (14,900)  
 (16,1000)



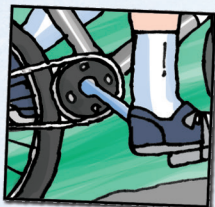
When Rob gets to (5,400) just count one along an imaginary horizontal line from there to the next point, as it has the same distance value. That's efficient plotting!



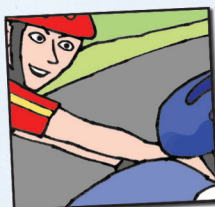
The graph shows how Rob travelled 200m after 3 minutes. Once you have plotted the two journeys, can you answer these questions?



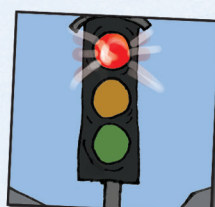
Who got home first?  
 .....



Where is the hill?  
 ..... m from the club.



Did Mark catch Rob up?  
 yes/no . At ..... m.



Where are traffic lights?  
 ..... m from the club.



Who was the fastest?  
 .....