



GRADE 4

MATHEMATICS

Real-World Problem Solving

Complete Student Edition



GLOBAL SOVEREIGN UNIVERSITY

"Building a Bridge to Freedom Through Education

Grade 4 Mathematics: Real-World Problem Solving

Student Edition

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Why This Book Is Different



NOBEL PRIZE RESEARCH SAYS:

"Students who score 96% on classroom math tests succeed only 1% of the time in real life."

— Banerjee & Duflo, *Nature*, February 2025

The Research That Proves Traditional Math Education Fails

In February 2025, Nobel Prize-winning economists published a groundbreaking study in *Nature*, the world's most respected scientific journal. They tested over 1,400 children in India and discovered something shocking:

Children who ace classroom math CANNOT use it in the real world.

Students who scored 96% on standard school math problems could solve simple real-world market calculations only 1% of the time. Meanwhile, children who worked in markets—without formal education—solved the same problems with 96% accuracy.

The researchers' conclusion was clear:

"Schools need to build a bridge between math learned in the classroom and math encountered in real-life situations."

The Problem: Abstract Doesn't Transfer to Applied

The Nobel laureates found that school children learned *procedures* but not *understanding*. They could solve " 24×8 " on a worksheet by adding 24 eight times. But give them a real problem—"How much do 8 items cost at \$24 each?"—and they froze.

Market children used efficient mental strategies: breaking 11×43 into $(10 \times 43) + 43$, rounding for easier calculation, working with meaningful quantities. School children followed rigid, slow methods that worked for tests but failed in life.

It's not that school kids were less intelligent. It's that their education never connected the math to reality.

The GSU Solution: Real-World Math

This textbook does exactly what the Nobel laureates recommend. Instead of abstract problems, every calculation has a professional context:

Traditional Math

"Multiply 3.45×6.8 " "You're the Restaurant Manager. Your order is 6.8 pounds at \$3.45/lb. What's the cost?"

"Find 15% of 80"

"A customer's bill is \$80. Calculate the 15% tip."

"Add $2/3 + 3/4$ "

"Your recipe needs $2/3$ cup butter and $3/4$ cup oil. Total fat?"

Same math. Completely different learning.

Your Roles in This Book

You won't just learn math in this book. You'll BE someone who uses it:

- **The Restaurant Manager** — Decimals, percentages, tips
- **The Warehouse Supervisor** — Volume and shipping
- **The Video Game Designer** — Coordinates and graphing
- **The Catering Chef** — Fractions and scaling
- **The Landscaping Contractor** — Area and perimeter
- **The Sports Analyst** — Statistics and predictions
- **The Travel Agent** — Time zones and large numbers
- **The Small Business Owner** — Profit and loss
- **The Science Lab Technician** — Formulas and order of operations
- **The Startup Founder** — Everything combined

These aren't pretend jobs. These are skills you can use THIS WEEK.

The Bottom Line

Nobel Prize-winning researchers proved that traditional education fails to prepare students for real-world math. The gap between classroom success and life success is catastrophic: 96% to 1%.

This textbook closes that gap.

Every problem. Every skill. Every chapter. Connected to reality.

Because math isn't an academic exercise. It's a survival skill.

Global Sovereign University is a 501(c)(3) educational foundation. This textbook is provided FREE because learning should never be limited by economics.

Research Citation:

Banerjee, A., Duflo, E., et al. (2025). Children's arithmetic skills do not transfer between applied and academic mathematics. *Nature*. <https://doi.org/10.1038/s41586-024-08502-w>

The lead authors received the 2019 Nobel Prize in Economics "for their experimental approach to alleviating global poverty."

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Extra Practice Sections

Welcome!

This year, you become a problem solver who uses mathematics in the real world.

You'll take on exciting roles:

- **Store Manager:** Track inventory and money
- **Event Planner:** Calculate supplies for festivals
- **Pet Shop Owner:** Use fractions for feeding schedules
- **Recipe Master:** Scale recipes up and down
- **Construction Worker:** Measure and build
- **Sports Manager:** Analyze team statistics
- **Junior Banker:** Manage savings and spending
- **Delivery Driver:** Plan routes and schedules
- **Garden Designer:** Discover patterns and equations
- **Business Owner:** Create your own lemonade stand!

How to Use This Book:

- ❖❖ **The Scenario:** Step into a real role
- ❖❖ **The Skill:** Learn the mathematics
- ❖ **Worked Examples:** See step-by-step solutions
- ❖❖ **Practice Problems:** Build mastery
- ❖❖ **Action Reports:** Apply everything

Remember: Show your work! The process matters as much as the answer.

How to Show Your Work

Every problem includes workspace. Use it!

Step 1: Read Carefully • What information is given? What are you finding?

Step 2: Plan • What operation(s) will you use? Can you estimate first?

Step 3: Calculate • Write each step. Line up numbers neatly. Label your work.

Step 4: Check • Does it match your estimate? Does it make sense?

Example:

Problem: Store sold 1,234 pencils Monday and 2,456 Tuesday. Total? Work: Estimate 1,000 + 2,500 = 3,500

$$1,234 + 2,456 = 3,690$$

Answer: 3,690 pencils (matches estimate) ✓

CHAPTER 1

The Classroom Store

Chapter Goal: Use place value and multi-digit operations to run a school supply business.

Congratulations! You've just been hired as the manager of the Classroom Store, a student-run business that sells school supplies to your entire school. Running this store requires careful mathematical thinking every day. You'll track thousands of items, manage money, make ordering decisions, and ensure your customers are happy.

Let's open for business!

Section 1: Taking Inventory — Understanding Large Numbers

❖❖ The Scenario

The school district just delivered your starting inventory: 3,256 pencils, 1,847 erasers, 2,093 notebooks, 4,125 sticker sheets, and 5,678 index cards. You need to record these quantities accurately in your inventory system. One mistake could mean running out of supplies or wasting money on items you don't need!

❖❖ The Skill: Place Value

Place value means the position of each digit determines its value. Think about the number

- 3,256: • The 3 is in the thousands place, so it means 3,000
- The 2 is in the hundreds place, so it means 200
- The 5 is in the tens place, so it means 50
- The 6 is in the ones place, so it means 6

Understanding place value helps you read, write, compare, and round numbers accurately.

↖ Worked Example: Breaking Down 3,256

Standard form: 3,256

Expanded form: $3,000 + 200 + 50 + 6$

Word form: Three thousand, two hundred fifty-six

Each digit has a value based on WHERE it sits. The 3 is worth $3 \times 1,000 = 3,000$.

↖ Worked Example: Comparing 4,256 and 4,265

Compare from left to right, starting with the biggest place value:

- Thousands: Both have 4 → keep looking
- Hundreds: Both have 2 → keep looking
- Tens: 5 vs 6 → 5 is less than 6

Answer: $4,256 < 4,265$

The first difference determines which number is larger!

↖ Worked Example: Rounding 4,783 to the Nearest Hundred Step 1:

Find the hundreds place (7)

Step 2: Look at the digit to the right (8 in tens place)

Step 3: Is it 5 or more? YES! So round UP

Answer: 4,783 rounds to 4,800

If the tens digit were 4 or less, we would round DOWN to 4,700.

Worked Example: Rounding 6,549 to the Nearest Thousand Step 1:

Find the thousands place (6)

Step 2: Look at the hundreds digit (5)

Step 3: Is it 5 or more? YES! Round UP

Answer: 6,549 rounds to 7,000

❖❖ Practice: Place Value

1. Write 5,384 in expanded form.

Work:

Answer: _____

2. What is the value of the digit 7 in 6,742?

Work:

Answer: _____

3. Compare using <, >, or =: 4,256 ____ 4,265

Work:

Answer: _____

4. Write the number: 8 thousands, 3 hundreds, 0 tens, 5 ones.

Work:

Answer: _____

5. Order from least to greatest: 3,842; 3,824; 3,482; 3,248

Work:

Answer: _____

6. Write 2,456 in word form.

Work:

Answer: _____

7. Round 4,783 to the nearest hundred.

Work:

Answer: _____

8. Which is greater: 6,099 or 6,100? Explain your reasoning.

Work:

Answer: _____

9. Write the smallest 4-digit number using 7, 2, 9, 4 (use each digit once).

Work:

Answer: _____

10. Write the largest 4-digit number using 3, 8, 1, 6 (use each digit once).

Work:

Answer: _____

11. A box has 8 thousands + 12 hundreds + 4 tens + 3 ones. Write in standard form.
(Hint: Regroup!)

Work:

Answer: _____

12. The store sold 3,456 items last month and 3,564 this month. Which month had more sales? Work:

Answer: _____

13. Write 9,007 in expanded form. (Watch out for the zeros!)

Answer: _____

14. Round 6,549 to the nearest thousand.

Work:

Answer: _____

15. What number is 100 more than 4,967?

Work:

Answer: _____

16. Compare using $<$, $>$, or $=$: 7,890 ____ 7,809

Work:

Answer: _____

17. In the number 45,678, what is the value of the 5?

Work:

Answer: _____

18. Order from greatest to least: 5,678; 5,687; 5,768; 5,867

Work:

Answer: _____

19. Round 3,450 to the nearest hundred. (Hint: What happens when the digit is exactly 5?) Work:

Answer: _____

20. What number is 1,000 less than 8,234?

Work:

Answer: _____

Section 2: Monday Restock — Multi-Digit Addition

❖❖ The Scenario

Three deliveries arrived this morning! You had 1,347 pencils in stock. Delivery #1 brought 2,456 pencils. Delivery #2 brought 1,234 more. You need to calculate your new inventory totals. Accurate addition is essential for knowing what you have!

❖❖ The Skill: Addition with Regrouping

When a column adds to 10 or more, we 'carry' or 'regroup' to the next place value. Always estimate first to check if your answer makes sense!

✎ Worked Example: Adding 1,347 + 2,456

Step 1 - Estimate: $1,000 + 2,000 = 3,000$ (answer should be close)

Step 2 - Set up vertically and add column by column from right to left:

- Ones: $7 + 6 = 13 \rightarrow$ write 3, carry 1
- Tens: $1 + 4 + 5 = 10 \rightarrow$ write 0, carry 1
- Hundreds: $1 + 3 + 4 = 8 \rightarrow$ write 8
- Thousands: $1 + 2 = 3 \rightarrow$ write 3

Answer: 3,803 pencils (close to our estimate of 3,000) ✓

✎ Worked Example: Adding Three Numbers: 1,347 + 2,456 + 1,234 Method 1:

Add two at a time

$$1,347 + 2,456 = 3,803$$

$$3,803 + 1,234 = 5,037$$

Method 2: Stack all three and add each column

Answer: 5,037 pencils total

✎ Worked Example: Adding Money: \$1,234.56 + \$2,789.34 Key rule:

Line up the decimal points!

Add cents: $56 + 34 = 90$ cents

Add dollars: $1,234 + 2,789 = 4,023$ dollars

Answer: \$4,023.90

✎ Worked Example: Checking with Estimation

Problem: $4,892 + 3,567$

Estimate: $5,000 + 4,000 = 9,000$

Actual: $4,892 + 3,567 = 8,459$

Check: 8,459 is close to 9,000 ✓

◆◆ Practice: Multi-Digit Addition

1. Calculate: $2,456 + 1,378$

Work:

Answer: _____

2. Calculate: $3,847 + 2,956$

Work:

Answer: _____

3. You have 1,245 red pens and receive 2,367 more. What is the total?

Work:

Answer: _____

4. Calculate: $456 + 789 + 234$

Work:

Answer: _____

5. Store earned \$1,456 Monday, \$2,378 Tuesday, \$1,892 Wednesday. Total earnings? Work:

Answer: _____

6. Calculate: $5,678 + 3,456$

Work:

Answer: _____

7. Add three deliveries: $2,456 + 3,789 + 1,234$

Work:

Answer: _____

8. Estimate first, then calculate: $4,892 + 3,567$

Work:

Answer: _____

9. Had 3,456 notebooks. Received 1,234 more, then 2,567 more. New total?

Work:

Answer: _____

10. Calculate: $6,789 + 2,345 + 1,876$

Work:

Answer: _____

11. Three busiest days: $\$4,567 + \$5,234 + \$3,899$. Total sales?

Work:

Answer: _____

12. Calculate: $7,654 + 2,789$

Work:

Answer: _____

13. Combine inventory from 3 boxes: $2,345 + 1,876 + 3,459$ items

Work:

Answer: _____

14. Calculate: $8,234 + 567 + 3,491$

Work:

Answer: _____

15. Add: $\$234.56 + \$567.89 + \$123.45$

Work:

Answer: _____

16. Inventory from 4 boxes: $1,250 + 1,340 + 1,125 + 1,285$

Work:

Answer: _____

17. Calculate: $9,999 + 1$ (What happens?)

Work:

Answer: _____

18. Weekly deposits: $\$456.78 + \$523.45 + \$398.67 + \$612.34 + \$445.89$

Work:

Answer: _____

19. Calculate: $4,567 + 3,892 + 2,541$

Work:

Answer: _____

20. Total of all starting inventory: $3,256 + 1,847 + 2,093 + 4,125 + 5,678$

Work:

Answer: _____

Section 3: The Big Sale — Multi-Digit Subtraction

❖ The Scenario

It's the Back-to-School Sale! You started with 5,037 pencils and sold 2,789 by lunchtime. How many pencils remain? Knowing your current inventory helps you avoid disappointing customers who want to buy supplies.

❖ The Skill: Subtraction with Regrouping

When you can't subtract a digit because the top number is smaller, you need to 'borrow' or 'regroup' from the next place value. This is like breaking a ten-dollar bill into ten ones.

❖ Worked Example: Subtracting 5,037 - 2,789

Step 1 - Estimate: $5,000 - 3,000 = 2,000$

Step 2 - Work right to left, borrowing when needed:

- Ones: 7 - 9? Can't do it! Borrow from tens.
- But tens is 3, and we need to borrow... it becomes complex with the 0.
- Borrow through: $5,037 \rightarrow 5,0(2)(17) \rightarrow 4,(10)(2)(17) \rightarrow 4,9,12,17$
- Now: $17-9=8$, $12-8=4$, $9-7=2$, $4-2=2$

Answer: 2,248 pencils remain ✓

❖ Worked Example: Subtracting from Zeros: 6,000 - 3,456

When subtracting from a number with zeros, you must borrow through multiple places: $6,000 \rightarrow 5,10,0,0 \rightarrow 5,9,10,0 \rightarrow 5,9,9,10$

Now subtract: $10-6=4$, $9-5=4$, $9-4=5$, $5-3=2$

Answer: 2,544

❖ Worked Example: Making a Reorder Decision

Current stock: 2,248 pencils

Reorder point: 2,000 pencils (when to order more)

$2,248 - 2,000 = 248$ pencils above reorder point

But the sale continues! If you expect to sell 300+ more today...

Decision: YES, place a reorder now to avoid running out!

Worked Example: Checking Subtraction with Addition

Problem: $7,234 - 4,567 = ?$

Answer: 2,667

Check: $2,667 + 4,567 = 7,234 \checkmark$

If the check doesn't equal the original number, redo the problem!

❖❖ Practice: Multi-Digit Subtraction

1. Calculate: $5,234 - 2,678$

Work:

Answer: _____

2. Had 4,567 erasers, sold 1,789. How many remain?

Work:

Answer: _____

3. Calculate: $6,000 - 3,456$

Work:

Answer: _____

4. Register had \$8,456. Gave \$3,789 in change. What remains?

Work:

Answer: _____

5. Calculate: $7,234 - 4,567$

Work:

Answer: _____

6. Started with 5,000 notebooks. Sold 2,347 Monday and 1,456 Tuesday. How many left?

Work

Answer: _____

7. Calculate: $9,000 - 4,567$

Work:

Answer: _____

8. Reorder point is 1,500. Have 4,234 markers, sold 2,856. Do you need to reorder?

Work:

Answer: _____

9. Calculate: $8,234 - 3,789$

Work:

Answer: _____

10. Had 6,543 items. Sold 2,345. Got 123 returns. Current inventory?

Work:

Answer: _____

11. Calculate: $7,006 - 2,789$

Work:

Answer: _____

12. Budget is \$10,000. Spent \$7,234. How much remains?

Work:

Answer: _____

13. Calculate: $5,003 - 1,678$

Work:

Answer: _____

14. Last year total: \$45,678. This year: \$52,345. How much more this year?

Work:

Answer: _____

15. Calculate: $8,040 - 3,567$

Work:

Answer: _____

16. Subtract: $\$500.00 - \267.89

Work:

Answer: _____

17. Calculate: $10,000 - 6,543$

Work:

Answer: _____

18. Started week with 8,500 items. Daily sales: 1,234; 1,456; 1,789; 1,123; 1,567.

Remaining?

Work:

Answer: _____

19. Calculate: $9,001 - 5,678$

Work:

Answer: _____

20. Had \$25,000 budget. Expenses: $\$8,456 + \$7,234 + \$5,678$. Remaining budget?

Work:

Answer: _____

Section 4: Counting the Register — Money Math

?? The Scenario

The store closes at 3:00 PM. Time to count the register! You started with \$1,234.56 in the drawer. Customers paid a total of \$6,789.34 throughout the day. You gave back \$3,456.78 in change. What should the register contain now?

?? The Skill: Decimal Operations with Money

Money uses decimals. The digits after the decimal point represent cents. The most important rule: **ALWAYS** line up the decimal points when adding or subtracting!

Worked Example: Balancing the Register

Starting amount: \$1,234.56

$$\begin{aligned} &+ \text{Customer payments: } \$6,789.34 \\ &= \text{Subtotal: } \$8,023.90 \\ &- \text{Change given: } \$3,456.78 \end{aligned}$$

Register should have: \$4,567.12

If the actual count doesn't match, there's an error somewhere!

Worked Example: Making Change: Customer Pays \$100 for \$67.89 Purchase

Method 1: Subtract

$$\$100.00 - \$67.89 = \$32.11$$

Method 2: Count up

$$\begin{aligned} \$67.89 &\rightarrow \$67.90 \text{ (1¢)} \rightarrow \$68.00 \text{ (10¢)} \rightarrow \$70.00 \text{ (\$2)} \rightarrow \$100.00 \\ (\$30) \text{ Total: } 1¢ + 10¢ + \$2 + \$30 &= \$32.11 \end{aligned}$$

Change due: \$32.11

Worked Example: Adding Multiple Transactions

Monday: \$234.56

Tuesday: \$567.89

Wednesday: \$345.67

Line up decimals and add:

$$\begin{array}{r} 234.56 \\ 567.89 \\ + 345.67 \\ \hline \end{array}$$

Total: \$1,148.12

Worked Example: Finding How Much More is Needed

Goal: Raise \$5,000 for new equipment

Currently have: \$3,678.90

$$\$5,000.00 - \$3,678.90 = \$1,321.10 \text{ still needed}$$

Amount needed: \$1,321.10

 **Practice: Money Math**

1. Add: $\$45.67 + \123.89

Work:

Answer: _____

2. Subtract: $\$234.56 - \78.90

Work:

Answer: _____

3. Register has $\$456.78$, receive $\$234.56$ in sales. New total?

Work:

Answer: _____

4. Customer pays $\$100.00$ for $\$67.89$ purchase. What change?

Work:

Answer: _____

5. Add: $\$45.67 + \$89.12 + \$34.56$

Work:

Answer: _____

6. Register: $\$1,234.56$. Give $\$567.89$ change. What remains?

Work:

Answer: _____

7. Calculate: $\$456.78 + \$234.56 + \$789.12$

Work:

Answer: _____

8. Subtract: $\$1,000.00 - \678.90

Work:

Answer: _____

9. Monday sales: \$2,345.67. Tuesday: \$3,456.78. Combined total?

Work:

Answer: _____

10. Customer total is \$89.99. Pays with \$100.00. Change due?

Work:

Answer: _____

11. Start with \$500, earn \$2,345.67 in sales, give \$1,234.56 change. Register total?

Work:

Answer: _____

12. Need \$5,000.00. Have \$3,678.90. How much more needed?

Work:

Answer: _____

13. Calculate: \$250.00 + \$675.50 - \$123.89

Work:

Answer: _____

14. Three purchases: \$45.99, \$67.50, \$123.75. Total?

Work:

Answer: _____

15. Had \$2,500.00. Spent \$456.78, \$234.56, and \$189.99. Remaining?

Work:

Answer: _____

16. Weekly earnings: \$1,234.56 + \$1,567.89 + \$1,345.67 + \$1,456.78 + \$1,789.34

Work:

Answer: _____

17. Customer pays \$50.00 for \$23.47 item. Change?

Work:

Answer: _____

18. Bank balance: \$4,567.89. Deposit \$1,234.56. Withdraw \$500.00. New balance? Work:

Answer: _____

19. Price is \$199.99. Tax is \$16.50. Total due?

Work:

Answer: _____

20. Had \$10,000.00 budget. Expenses: \$2,345.67, \$3,456.78, \$1,234.56. Remaining?

Work:

Answer: _____

Chapter 1 Action Report: Store Manager's Weekly Summary

Complete this manager's report using ALL your Chapter 1 skills! Show your work for each problem.

Inventory Report

1. TOTAL INVENTORY: Store has 3,456 pencils, 2,789 pens, 4,123 markers, and 1,892 erasers. What is the total number of writing supplies?

Work:

Answer: _____

2. WEEKLY SALES: Sold 1,234 pencils Monday, 987 Tuesday, 1,456 Wednesday, 876 Thursday, 1,547 Friday. Total pencils sold?

Work:

Answer: _____

3. REMAINING STOCK: Started with 3,456 pencils, sold the total from problem 2. How many pencils remain?

Work:

Answer: _____

4. REORDER CHECK: Reorder point is 1,500 pencils. Based on problem 3, do you need to reorder? By how much are you above or below?

Work:

Answer: _____

Financial Report

5. DAILY REGISTER: Started \$567.89, received \$4,567.34 in payments, gave \$2,345.67 change. Ending balance?

Work:

Answer: _____

6. WEEKLY REVENUE: Mon \$1,234.56, Tue \$987.34, Wed \$1,567.89, Thu \$876.54, Fri \$2,345.67. Total weekly revenue?

Work:

Answer: _____

7. PROFIT CALCULATION: Weekly revenue (from #6) minus weekly expenses of \$4,567.00. Weekly profit?

Work:

Answer: _____

8. BUDGET STATUS: Monthly budget is \$25,000. Week 1 spent \$5,678.90, Week 2 spent \$6,234.56. Remaining budget?

Work:

Answer: _____

Analysis Questions

9. PLACE VALUE: The store's inventory ID number is 48,052. Write this in expanded form and word form.

Work:

Answer: _____

10. COMPARISON: Store A sold 4,567 items. Store B sold 4,657 items. Store C sold 4,576 items. Rank from most to least sales.

Work:

Answer: _____

11. ROUNDING: For the monthly report, round total inventory of 12,847 items to the nearest thousand.

Work:

Answer: _____

12. ESTIMATION: Estimate $4,892 + 3,178$ by rounding to nearest thousand, then calculate the exact answer. How close was your estimate?

Work:

Answer: _____

CHAPTER 2

The Festival Planner

Chapter Goal: Use multiplication, division, and geometry to plan a community event.

Welcome to the Festival Planning Committee! The Fall Festival is your school's biggest event of the year. As lead planner, you'll calculate supplies for hundreds of guests, divide money among charities, and design the festival layout. Mathematics makes it all possible!

Section 1: The Inventory — Multi-Digit Multiplication

❖❖ The Scenario

You need prizes for carnival games! Super-Bounce Balls come in boxes of 24. Your school has 15 classes with 25 students each. How many students total? Will 18 boxes of balls be enough for one prize per student?

❖❖ The Skill: Multi-Digit Multiplication

For larger numbers, we can use the area model (breaking numbers into parts) or the standard algorithm. Always estimate first!

❖ Worked Example: Area Model: 15×25

Break each number into parts: $15 = 10 + 5$ and $25 = 20 + 5$

Create a grid and multiply each part:

- $10 \times 20 = 200$
- $10 \times 5 = 50$
- $5 \times 20 = 100$
- $5 \times 5 = 25$

Total: $200 + 50 + 100 + 25 = 375$ students

❖ Worked Example: Standard Algorithm: 34×27

Step 1: Multiply by ones digit (7)

$$34 \times 7 = 238$$

Step 2: Multiply by tens digit (20)

$$34 \times 20 = 680$$

Step 3: Add partial products

Answer: $238 + 680 = 918$

❖ Worked Example: Checking: Are 18 Boxes Enough?

Need: 375 students (one prize each minimum)

Have: 18 boxes \times 24 balls per box

$$18 \times 24 = 432$$

$$432 > 375$$

Answer: YES! We have 57 extra prizes

❖ Worked Example: Money Multiplication: Ticket Sales

Tickets cost \$12 each. Sold 145 tickets.

$$145 \times 12 = 145 \times 10 + 145 \times 2 = 1,450 + 290 = 1,740$$

Total earned: \$1,740

 **Practice: Multi-Digit Multiplication**

1. Calculate: 23×14

Work:

Answer: _____

2. Calculate: 36×25

Work:

Answer: _____

3. 15 tables with 8 chairs each. Total chairs?

Work:

Answer: _____

4. Calculate: 42×18

Work:

Answer: _____

5. 24 boxes with 36 prizes each. Total prizes?

Work:

Answer: _____

6. Calculate: 56×34

Work:

Answer: _____

7. Tickets are \$12 each. Sold 145. Total earned?

Work:

Answer: _____

8. Calculate: 67×43

Work:

Answer: _____

9. 28 volunteers work 6 hours each. Total volunteer hours?

Work:

Answer: _____

10. Calculate: 85×52

Work:

Answer: _____

11. 15 classes, 24 students each, need 3 tickets per student. Total tickets needed? Work:

Answer: _____

12. Stage rental: \$75 per hour for 8 hours. Total cost?

Work:

Answer: _____

13. Calculate: 48×37

Work:

Answer: _____

14. 125 guests, each receives 4 raffle tickets. Total tickets needed?

Work:

Answer: _____

15. Calculate: 94×28

Work:

Answer: _____

16. Parking lot has 35 rows with 18 spaces each. Total capacity?

Work:

Answer: _____

17. Calculate: 63×45

Work:

Answer: _____

18. Food vendor serves 256 guests, 3 items each. Total items served?

Work:

Answer: _____

19. Calculate: 78×54

Work:

Answer: _____

20. Festival runs 12 hours. Average 85 visitors per hour. Total visitors?

Work:

Answer: _____

Section 2: The Ticket Booth — Long Division

◆◆ The Scenario

The festival raised \$1,452 to donate! You want to split it equally among 4 local charities. How much does each charity receive? What if there's money left over?

◆◆ The Skill: Long Division

Long division follows a pattern: Divide, Multiply, Subtract, Bring down. Repeat until done!

✎ Worked Example: Long Division: $1,452 \div 4$

Step by step:

- $14 \div 4 = 3$ remainder 2
- Bring down 5 $\rightarrow 25 \div 4 = 6$ remainder 1
- Bring down 2 $\rightarrow 12 \div 4 = 3$ exactly

Answer: \$363 per charity

Check: $363 \times 4 = 1,452 \checkmark$

✎ Worked Example: Handling Remainders: $1,457 \div 4$

$1,457 \div 4 = 364$ remainder 1

Each charity gets \$364, with \$1 left over

Options for the extra \$1:

- Give one charity \$365 (others get \$364)
- Buy a thank-you card for all volunteers

Real-world decisions go beyond just the math!

Worked Example: Division for Equal Groups

Problem: 936 students need to form teams of 12.

$$936 \div 12 = 78 \text{ teams}$$

Check: $78 \times 12 = 936 \checkmark$

Worked Example: Finding How Many Groups Fit

Have 1,728 cookies. Each box holds 144 cookies.

$$1,728 \div 144 = 12 \text{ boxes needed}$$

All cookies fit perfectly with no remainder!

❖❖ Practice: Long Division

1. Calculate: $864 \div 4$

Work:

Answer: _____

2. Calculate: $1,575 \div 5$

Work:

Answer: _____

3. Split \$2,436 equally among 6 game booths. Each gets?

Work:

Answer: _____

4. Calculate: $2,184 \div 7$

Work:

Answer: _____

5. 945 guests seated at tables of 9. How many tables needed?

Work:

Answer: _____

6. Calculate: $3,456 \div 8$

Work:

Answer: _____

7. 1,250 prizes shared among 5 games equally. Each game gets?

Work:

_____ **Answer:** _____

8. Calculate: $2,709 \div 3$

Work:

_____ **Answer:** _____

9. 4,872 tickets sold over 6 hours. Average per hour?

Work:

_____ **Answer:** _____

10. Calculate: $5,432 \div 4$

Work:

_____ **Answer:** _____

11. \$8,645 split among 5 partners. Each gets? Any remainder?

Work:

_____ **Answer:** _____

12. 2,500 flyers for 8 volunteers to distribute. Each takes?

Work:

_____ **Answer:** _____

13. Calculate: $7,236 \div 9$

Work:

_____ **Answer:** _____

14. 936 students form teams of 12. How many teams?

Work:

_____ **Answer:** _____

15. Calculate: $4,128 \div 6$

Work:

Answer: _____

16. 1,500 programs split among 8 classrooms. Each gets?

Work:

Answer: _____

17. Calculate: $2,345 \div 5$

Work:

Answer: _____

18. Cookie boxes hold 144 cookies. Have 1,728 cookies. How many boxes?

Work:

Answer: _____

19. Calculate: $6,384 \div 8$

Work:

Answer: _____

20. \$9,876 profit shared among 6 committees. Each gets?

Work:

Answer: _____

Section 3: The Map Design — Geometry

?? The Scenario

The festival will be held on a rectangular plot measuring 60 feet by 40 feet. You need to calculate the area for surface covering and the perimeter for fencing.

?? The Skills

Area: The space inside a shape. For rectangles: $\text{Area} = \text{Length} \times \text{Width}$

Perimeter: The distance around a shape. For rectangles: $P = 2 \times \text{Length} + 2 \times \text{Width}$

Worked Example: Festival Plot Calculations

Plot dimensions: $60 \text{ ft} \times 40 \text{ ft}$

Area: $60 \times 40 = 2,400 \text{ square feet}$

Perimeter: $60 + 40 + 60 + 40 = 200 \text{ feet of fencing needed}$

The stage takes up $10 \times 10 = 100 \text{ sq ft}$, which is $100/2,400 \approx 4\%$ of total space

Worked Example: Finding a Missing Side

A rectangle has perimeter 48 feet and length 14 feet. Find the width.

$$P = 2L + 2W$$

$$48 = 2(14) + 2W$$

$$48 = 28 + 2W$$

$$20 = 2W$$

Width: 10 feet

Worked Example: Area with a Cutout (L-Shaped)

Large rectangle: $20 \times 10 = 200 \text{ sq ft}$

Cutout section: $8 \times 6 = 48 \text{ sq ft}$

Remaining area: $200 - 48 = 152 \text{ sq ft}$

Worked Example: Border Area

Pool: $30 \times 20 \text{ ft}$ with a 2-ft wide border around it

Outer rectangle: $34 \times 24 = 816 \text{ sq ft}$

Inner (pool): $30 \times 20 = 600 \text{ sq ft}$

Border area: $816 - 600 = 216 \text{ sq ft}$

❖❖ Practice: Geometry

1. Rectangle 12 ft \times 8 ft. Find the area.

Work:

Answer: _____

2. Square with sides 15 ft. Find the perimeter.

Work:

Answer: _____

3. Booth measures 8 ft \times 6 ft. Area of booth space?

Work:

Answer: _____

4. Need fence around $25 \text{ ft} \times 18 \text{ ft}$ area. How much fence?

Work:

Answer: _____

5. Stage is $12 \text{ ft} \times 12 \text{ ft}$ square. Area?

Work:

Answer: _____

6. Walkway: 50 ft long, 4 ft wide. Area?

Work:

Answer: _____

7. Festival plot: $80 \text{ ft} \times 50 \text{ ft}$. Total area?

Work:

Answer: _____

8. Square has perimeter 36 ft. What is the side length?

Work:

Answer: _____

9. Rectangle area is 72 sq ft, length is 9 ft. Width?

Work:

Answer: _____

10. Three booths: 6×8 , 5×10 , 8×8 ft. Combined area?

Work:

Answer: _____

11. Plot 100×60 ft. Stage 15×15 ft. Area remaining?

Work:

Answer: _____

12. Rectangle 24 ft \times 16 ft. Perimeter?

Work:

Answer: _____

13. Two squares: 10 \times 10 and 8 \times 8. Combined area?

Work:

Answer: _____

14. Perimeter is 48 ft, length is 14 ft. Width?

Work:

Answer: _____

15. L-shaped area: 20 \times 10 with 8 \times 6 cut out. Remaining area?

Work:

Answer: _____

16. 2-ft wide border around 30 \times 20 pool. Border area only?

Work:

Answer: _____

17. Room is 15 \times 12 ft. Carpet costs \$3/sq ft. Total cost?

Work:

Answer: _____

18. Square garden area is 144 sq ft. Side length?

Work:

Answer: _____

19. Fence costs \$12/ft. Rectangle 40 \times 30 ft needs fence. Cost?

Work:

Answer: _____

20. Three sections: 25×20 , 30×15 , 20×20 ft. Total area?

Work:

Answer: _____

Chapter 2 Action Report: Festival Planning Summary

Use ALL Chapter 2 skills to complete this planning report!

Supplies & Budget

1. PRIZES NEEDED: 15 classes \times 25 students \times 3 prizes each. Total

prizes? Work:

Answer: _____

2. PRIZE CHECK: Boxes contain 48 prizes. Need total from #1. How many boxes to order?

Work:

Answer: _____

3. CHARITY: Raised \$2,568 to split among 4 charities. Each receives?

Work:

Answer: _____

Layout Planning

4. TOTAL AREA: Festival plot is 75 ft \times 50 ft. Area?

Work:

Answer: _____

5. BOOTH SPACE: 5 booths, each 10 \times 12 ft. Combined booth area?

Work:

Answer: _____

6. REMAINING: Plot area (#4) minus booth area (#5). Space for activities?

Work:

Answer: _____

7. FENCING: Perimeter of 75×50 plot for safety fence?

Work:

Answer: _____

Financial Summary

8. TICKET REVENUE: \$8 tickets, goal is \$2,400. How many tickets must sell? Work:

Answer: _____

9. VOLUNTEER HOURS: 144 volunteers \div 8-person teams. How many teams?

Work:

Answer: _____

10. EXPENSE TRACKING: Budget \$3,000. Spent \$456 + \$789 + \$234 + \$567. Remaining?

Work

Answer: _____

CHAPTER 3

The Pet Shop Owner

Chapter Goal: Master fractions through feeding schedules, tank measurements, and inventory.

Welcome to Paws & Fins Pet Shop! As the owner, you'll use fractions every single day. How much food for each animal? What fraction of tanks need cleaning? What portion of your inventory is fish supplies? Let's care for these animals with mathematical precision!

Section 1: Understanding Fractions

❖❖ The Scenario

Your pet shop is divided into sections: 3/8 for dogs, 2/8 for cats, 1/8 for fish, and 2/8 for small animals. Understanding fractions helps you manage space, food, and supplies.

❖❖ The Skill: Fraction Basics

Numerator (top): The number of parts you have

Denominator (bottom): The total number of equal parts

In 3/8: You have 3 parts out of 8 total equal parts.

❖ Worked Example: Naming Fractions

A cage has 6 equal compartments. 4 have hamsters.

Fraction with hamsters: 4/6

Fraction empty: 2/6

Notice: $4/6 + 2/6 = 6/6 = 1$ whole cage

❖ Worked Example: Fractions of a Group

12 puppies: 7 are brown, 5 are white

Fraction brown: 7/12

Fraction white: 5/12

Check: $7/12 + 5/12 = 12/12 = 1$ (all puppies accounted for)

❖ Worked Example: Fractions and Remainders

Bag of food is 3/4 full. What fraction is empty?

A full bag = 4/4

Empty portion: $4/4 - 3/4 = 1/4$

Answer: 1/4 of the bag is empty

❖❖ Practice: Understanding Fractions

1. Cage has 6 compartments, 4 have hamsters. Fraction with hamsters?

Work:

Answer: _____

2. Tank divided into 5 sections, 2 have plants. Fraction with plants?

Work:

Answer: _____

3. 12 puppies, 7 are brown. Fraction that are brown?

Work:

Answer: _____

4. Bag is $\frac{3}{4}$ full. What fraction is empty?

Work:

Answer: _____

5. 8 tanks in store, 5 need cleaning. Fraction needing cleaning?

Work:

Answer: _____

6. 10 birds total, 3 are parrots. Fraction that are parrots?

Work:

Answer: _____

7. 24 animals total, 6 are reptiles. Fraction that are reptiles?

Work:

Answer: _____

8. Water bowl is $\frac{2}{3}$ full. Fraction that is empty?

Work:

Answer: _____

9. 15 fish, 9 are goldfish. Fraction that are goldfish?

Work:

Answer: _____

10. 20 cages, 8 are empty. Fraction that are occupied?

Work:

Answer: _____

11. Treat jar has 16 treats, 10 given away. Fraction remaining?

Work:

Answer: _____

12. Pet shop open 5 days out of 7 days per week. Fraction open?

Work:

Answer: _____

13. 30 bags of food, 12 are dog food. Fraction that is dog food?

Work:

Answer: _____

14. Cat food bowl 5/6 full. Fraction empty?

Work:

Answer: _____

15. 18 leashes, 6 are red. Fraction that are red?

Work:

Answer: _____

16. Fish tank 7/8 full of water. Fraction empty?

Work:

Answer: _____

17. 25 customers today, 15 bought something. Fraction that bought?

Work:

Answer: _____

18. 12 puppies sleeping, 5 are awake. Fraction sleeping?

Work:

Answer: _____

Section 2: Equivalent Fractions

❖❖ The Skill

Equivalent fractions are different fractions that represent the same amount. You can find them by multiplying or dividing both the numerator and denominator by the same number.

❖ Worked Example: Finding Equivalents: $2/4 = 1/2$

Divide both numerator and denominator by 2:

$$2 \div 2 = 1$$

$$4 \div 2 = 2$$

So: $2/4 = 1/2$

To go UP: $1/2 \times 2/2 = 2/4$, or $1/2 \times 3/3 = 3/6$

❖ Worked Example: Simplifying $8/12$

Find a common factor of 8 and 12: Both divisible by 4

$$8 \div 4 = 2$$

$$12 \div 4 = 3$$

Simplified: $8/12 = 2/3$

❖ Worked Example: Finding a Missing Numerator

$$3/4 = ?/12$$

What times 4 equals 12? $\rightarrow 3$

Multiply numerator by same: $3 \times 3 = 9$

Answer: $3/4 = 9/12$

❖❖ Practice: Equivalent Fractions

1. Find equivalent: $3/6 = ?/2$

Work:

Answer: _____

2. Find equivalent: $2/5 = ?/10$

Work:

Answer: _____

3. Simplify: $4/8$

Work:

Answer: _____

4. Simplify: 6/9

Work:

Answer: _____

5. Are 2/3 and 4/6 equivalent? Prove it.

Work:

Answer: _____

6. Find equivalent: 3/4 = ?/12

Work:

Answer: _____

7. Simplify: 10/15

Work:

Answer: _____

8. Find three fractions equivalent to 1/2.

Work:

Answer: _____

9. Simplify: 8/12

Work:

Answer: _____

10. Which is in simplest form: 3/9, 2/5, or 4/6?

Work:

Answer: _____

11. Find equivalent: 4/6 = ?/3

Work:

Answer: _____

12. Simplify: $12/16$

Work:

Answer: _____

13. Find equivalent: $5/6 = ?/18$

Work:

Answer: _____

14. Simplify: $15/20$

Work:

Answer: _____

15. Are $3/4$ and $9/12$ equivalent?

Work:

Answer: _____

16. Find equivalent: $2/3 = ?/15$

Work:

Answer: _____

17. Simplify: $9/27$

Work:

Answer: _____

18. Find equivalent: $1/4 = ?/20$

Work:

Answer: _____

Section 3: Comparing Fractions

Worked Example: Comparing $\frac{3}{4}$ and $\frac{2}{3}$

Method: Find a common denominator

LCD of 4 and 3 is 12

$$\frac{3}{4} = \frac{9}{12}$$

$$\frac{2}{3} = \frac{8}{12}$$

$$\frac{9}{12} > \frac{8}{12}$$

Answer: $\frac{3}{4} > \frac{2}{3}$

Worked Example: Comparing with Same Numerator

Compare $\frac{2}{5}$ and $\frac{2}{7}$

Same numerator: Larger denominator = smaller fraction

$\frac{2}{5}$ has smaller pieces than $\frac{2}{7}$

Answer: $\frac{2}{5} > \frac{2}{7}$

Practice: Comparing Fractions

1. Compare: $\frac{1}{2}$ ____ $\frac{2}{5}$

Work:

Answer: _____

2. Compare: $\frac{3}{4}$ ____ $\frac{5}{8}$

Work:

Answer: _____

3. Compare: $\frac{2}{3}$ ____ $\frac{3}{5}$

Work:

Answer: _____

4. Order least to greatest: $\frac{1}{2}, \frac{1}{3}, \frac{1}{4}$

Work:

Answer: _____

5. Compare: $\frac{5}{6}$ ____ $\frac{7}{8}$

Work:

Answer: _____

6. Which is more food: $2/5$ of a bag or $3/8$ of a bag?

Work:

Answer: _____

7. Order greatest to least: $3/4$, $2/3$, $5/6$

Work:

Answer: _____

8. Cat ate $3/8$, dog ate $2/6$ of same-size bowl. Who ate more?

Work:

Answer: _____

9. Compare: $4/5$ ____ $7/10$

Work:

Answer: _____

10. Order: $2/3$, $5/6$, $3/4$, $7/12$ from least to greatest

Work:

Answer: _____

11. Compare: $3/8$ ____ $2/5$

Work:

Answer: _____

12. Which is less: $5/12$ or $3/8$?

Work:

Answer: _____

13. Compare: $7/10$ ____ $2/3$

Work:

Answer: _____

14. Order greatest to least: $1/2$, $3/5$, $7/10$

Work:

Answer: _____

15. Compare: $4/9$ ____ $5/12$

Work:

Answer: _____

Section 4: Adding & Subtracting Fractions

❖ Worked Example: Same Denominators: $1/4 + 2/4$

When denominators match, just add the numerators:

$$1/4 + 2/4 = 3/4$$

The denominator stays the same!

❖ Worked Example: Different Denominators: $2/3 + 1/6$

Step 1: Find common denominator (LCD of 3 and 6 is 6)

Step 2: Convert $2/3$ to sixths: $2/3 = 4/6$

Step 3: Add: $4/6 + 1/6 = 5/6$

Answer: $5/6$

❖ Worked Example: Subtracting: $7/8 - 1/4$

Convert $1/4$ to eighths: $1/4 = 2/8$

$$7/8 - 2/8 = 5/8$$

Answer: $5/8$ of the tank remains

❖❖ Practice: Fraction Operations

1. Add: $2/5 + 1/5$

Work:

Answer: _____

2. Add: $3/8 + 2/8$

Work:

Answer: _____

3. Subtract: $5/6 - 2/6$

Work:

Answer: _____

4. Add: $1/4 + 1/2$

Work:

Answer: _____

5. Subtract: $3/4 - 1/2$

Work:

Answer: _____

6. Morning feeding: $1/3$ cup. **Evening:** $1/6$ cup. **Total?**

Work:

Answer: _____

7. Add: $2/3 + 1/4$

Work:

Answer: _____

8. Tank was $7/8$ full. Used $1/4$ for water change. How full now?

Work:

Answer: _____

9. Add: $1/2 + 1/3 + 1/6$

Work:

Answer: _____

10. Subtract: $5/6 - 1/3$

Work:

Answer: _____

11. Add: $3/8 + 1/4$

Work:

Answer: _____

12. Had $7/8$ bag of food. Used $3/8$. What fraction remains?

Work:

Answer: _____

13. Add: $2/5 + 3/10$

Work:

Answer: _____

14. Subtract: $4/5 - 1/2$

Work:

Answer: _____

15. Add: $1/6 + 2/3$

Work:

Answer: _____

16. Bowl $5/6$ full, drank $1/3$. How full now?

Work:

Answer: _____

17. Add: $3/4 + 1/8$

Work:

Answer: _____

18. Subtract: $11/12 - 3/4$

Work:

Answer: _____

Chapter 3 Action Report: Pet Shop Weekly Summary

1. INVENTORY: 24 animals total. 1/3 are dogs, 1/4 are cats. How many dogs? How many cats?

Work:

Answer: _____

2. FEEDING: Dog needs $\frac{3}{4}$ cup AM + $\frac{2}{4}$ cup PM. Daily total?

Work:

Answer: _____

3. CLEANING: 12 tanks, 8 need cleaning. What fraction? Simplify.

Work:

Answer: _____

4. SUPPLIES: Cat food $\frac{2}{3}$ full, dog food $\frac{5}{8}$ full. Which has more?

Work:

Answer: _____

5. USAGE: Used $\frac{5}{8}$ of treats Monday + $\frac{1}{4}$ Tuesday. Total fraction used?

Work:

Answer: _____

6. SPACE: Dogs $\frac{3}{8}$, cats $\frac{2}{8}$, fish $\frac{1}{8}$ of store. Fraction for small animals?

Work:

Answer: _____

7. MEASURE: Food scoop holds $\frac{2}{6}$ cup. Simplify this fraction.

Work:

Answer: _____

8. COMPARISON: Puppies weigh $\frac{3}{4}$ lb, $\frac{2}{3}$ lb, $\frac{5}{6}$ lb. Order least to greatest. Work:

Answer: _____

CHAPTER 4

The Recipe Master

Chapter Goal: Use fractions and mixed numbers to scale recipes and measure ingredients.

Welcome to the school cafeteria kitchen! As Recipe Master, you'll double recipes for big events, halve them for small groups, and measure ingredients precisely. Cooking is applied mathematics—and hungry students are counting on your accuracy!

Section 1: Understanding Mixed Numbers

❖❖ The Skill

A mixed number combines a whole number and a fraction: $2\frac{1}{2}$ means 2 whole things plus $\frac{1}{2}$ more.

An improper fraction has a numerator larger than its denominator: $\frac{5}{2}$ means five halves.

❖ Worked Example: Converting Mixed to Improper: $2\frac{1}{2}$ Step 1:

Multiply whole number \times denominator: $2 \times 2 = 4$

Step 2: Add the numerator: $4 + 1 = 5$

Step 3: Keep the same denominator: $\frac{5}{2}$

Answer: $2\frac{1}{2} = \frac{5}{2}$

❖ Worked Example: Converting Improper to Mixed: $\frac{11}{4}$ Step 1:

Divide numerator by denominator: $11 \div 4 = 2$ remainder 3

Step 2: Whole number is the quotient: 2

Step 3: Remainder becomes new numerator: 3

Step 4: Keep same denominator: 4

Answer: $\frac{11}{4} = 2\frac{3}{4}$

❖ Worked Example: Comparing Mixed Numbers

Which is larger: $2\frac{3}{4}$ or $\frac{11}{4}$?

Convert $2\frac{3}{4}$ to improper: $(2 \times 4) + 3 = 11$, so $2\frac{3}{4} = \frac{11}{4}$

Answer: They are equal! $2\frac{3}{4} = \frac{11}{4}$

❖❖ Practice: Mixed Numbers

1. Convert to improper fraction: $3\frac{1}{4}$

Work:

Answer: _____

2. Convert to improper fraction: $2\frac{2}{3}$

Work:

Answer: _____

3. Convert to mixed number: $9\frac{1}{4}$

Work:

Answer: _____

4. Convert to mixed number: $17\frac{1}{5}$

Work:

Answer: _____

5. Convert to improper fraction: $4\frac{1}{2}$

Work:

Answer: _____

6. Convert to mixed number: $23\frac{1}{6}$

Work:

Answer: _____

7. Which is larger: $2\frac{3}{4}$ or $11\frac{1}{4}$? Prove it.

Work:

Answer: _____

8. Recipe calls for $1\frac{3}{4}$ cups flour. Write as improper fraction.

Work:

Answer: _____

9. Convert to mixed number: $19\frac{1}{8}$

Work:

Answer: _____

10. Convert to improper fraction: $5 \frac{2}{3}$

Work:

Answer: _____

11. Convert to mixed number: $25/4$

Work:

Answer: _____

12. Convert to improper fraction: $3 \frac{5}{8}$

Work:

Answer: _____

13. Convert to mixed number: $31/6$

Work:

Answer: _____

14. Convert to improper fraction: $6 \frac{1}{3}$

Work:

Answer: _____

15. Which is larger: $3 \frac{1}{2}$ or $10/3$?

Work:

Answer: _____

16. Convert to mixed number: $47/10$

Work:

Answer: _____

17. Convert to improper fraction: $2 \frac{7}{8}$

Work:

Answer: _____

18. Convert to mixed number: $33/8$

Work:

Answer: _____

Section 2: Adding Mixed Numbers

Worked Example: Adding: $2\frac{3}{4} + 1\frac{2}{4}$

Step 1: Add the whole numbers: $2 + 1 = 3$

Step 2: Add the fractions: $\frac{3}{4} + \frac{2}{4} = \frac{5}{4}$

Step 3: Convert improper fraction: $\frac{5}{4} = 1\frac{1}{4}$

Step 4: Add to whole number: $3 + 1\frac{1}{4} = 4\frac{1}{4}$

Answer: $4\frac{1}{4}$

Worked Example: Adding with Different Denominators: $1\frac{1}{2} + 2\frac{1}{3}$

Step 1: Find common denominator: LCD of 2 and 3 is 6

Step 2: Convert fractions: $\frac{1}{2} = \frac{3}{6}$ and $\frac{1}{3} = \frac{2}{6}$

Step 3: Add: $1\frac{3}{6} + 2\frac{2}{6} = 3\frac{5}{6}$

Answer: $3\frac{5}{6}$

Worked Example: Recipe Application

Morning batch: $2\frac{1}{4}$ cups flour. Afternoon batch: $1\frac{3}{4}$ cups flour.

$2\frac{1}{4} + 1\frac{3}{4} = 3\frac{4}{4} = 4$ cups total flour needed

❖❖ Practice: Adding Mixed Numbers

1. Add: $2\frac{1}{4} + 3\frac{2}{4}$

Work:

Answer: _____

2. Add: $1\frac{2}{5} + 2\frac{1}{5}$

Work:

Answer: _____

3. Add: $3\frac{1}{2} + 2\frac{1}{2}$

Work:

Answer: _____

4. Add: $1\frac{3}{4} + 2\frac{3}{4}$

Work:

Answer: _____

5. Add: $2 \frac{2}{3} + 1 \frac{2}{3}$

Work:

Answer: _____

6. $1 \frac{1}{2}$ cups milk + $2 \frac{1}{4}$ cups water. Total liquid?

Work:

Answer: _____

7. Add: $4 \frac{5}{8} + 2 \frac{7}{8}$

Work:

Answer: _____

8. Morning: $3 \frac{2}{3}$ cups. Afternoon: $2 \frac{2}{3}$ cups. Total?

Work:

Answer: _____

9. Add: $2 \frac{1}{3} + 3 \frac{1}{2}$

Work:

Answer: _____

10. Add: $1 \frac{3}{4} + 2 \frac{2}{3}$

Work:

Answer: _____

11. Add: $5 \frac{1}{6} + 2 \frac{5}{6}$

Work:

Answer: _____

12. Add: $3 \frac{2}{5} + 4 \frac{4}{5}$

Work:

Answer: _____

13. Add: $2 \frac{1}{2} + 1 \frac{1}{3} + 1 \frac{1}{6}$

Work:

Answer: _____

14. Recipe: $1 \frac{1}{4}$ cups sugar + $2 \frac{1}{2}$ cups flour. Total dry ingredients?

Work:

Answer: _____

15. Add: $6 \frac{3}{8} + 2 \frac{5}{8}$

Work:

Answer: _____

16. Add: $4 \frac{2}{3} + 3 \frac{5}{6}$

Work:

Answer: _____

Section 3: Subtracting Mixed Numbers

Worked Example: Subtracting: $4 \frac{3}{4} - 2 \frac{1}{4}$

Fractions have same denominator, and $3/4 > 1/4$

Whole numbers: $4 - 2 = 2$

Fractions: $3/4 - 1/4 = 2/4 = 1/2$

Answer: $2 \frac{1}{2}$

Worked Example: Subtracting with Borrowing: $5 \frac{1}{4} - 2 \frac{3}{4}$ Problem:

Can't subtract $3/4$ from $1/4$!

Step 1: Borrow 1 from the 5: $5 \frac{1}{4}$ becomes $4 + 1 \frac{1}{4} = 4 \frac{5}{4}$

Step 2: Now subtract: $4 \frac{5}{4} - 2 \frac{3}{4}$

Whole numbers: $4 - 2 = 2$

Fractions: $5/4 - 3/4 = 2/4 = 1/2$

Answer: $2 \frac{1}{2}$

Worked Example: Recipe Subtraction

Had 5 cups sugar. Used $2 \frac{1}{3}$ cups. How much remains?

$5 = 5 \frac{0}{3} = 4 \frac{3}{3}$ (borrow to subtract)

$4 \frac{3}{3} - 2 \frac{1}{3} = 2 \frac{2}{3}$ cups remaining

 **Practice: Subtracting Mixed Numbers**

1. Subtract: $4 \frac{3}{4} - 2 \frac{1}{4}$

Work:

Answer: _____

2. Subtract: $5 \frac{2}{3} - 3 \frac{1}{3}$

Work:

Answer: _____

3. Subtract: $3 \frac{1}{4} - 1 \frac{3}{4}$ (borrowing needed!)

Work:

Answer: _____

4. Subtract: $6 \frac{1}{2} - 2 \frac{3}{4}$

Work:

Answer: _____

5. Had 4 cups sugar. Used $1 \frac{2}{3}$ cups. Remaining?

Work:

Answer: _____

6. Subtract: $7 \frac{1}{8} - 4 \frac{5}{8}$

Work:

Answer: _____

7. 10 pounds flour - $6 \frac{3}{4}$ pounds used. Left?

Work:

Answer: _____

8. Subtract: $8 - 3 \frac{2}{5}$

Work:

Answer: _____

9. Subtract: $5 \frac{1}{3} - 2 \frac{2}{3}$

Work:

Answer: _____

10. Subtract: $9 \frac{1}{4} - 5 \frac{3}{4}$

Work:

Answer: _____

11. Had $6 \frac{1}{2}$ cups. Used $2 \frac{3}{4}$ cups. Remaining?

Work:

Answer: _____

12. Subtract: $7 \frac{2}{5} - 3 \frac{4}{5}$

Work:

Answer: _____

13. Subtract: $10 \frac{1}{6} - 4 \frac{5}{6}$

Work:

Answer: _____

14. Started with 8 gallons. Used $3 \frac{5}{8}$ gallons. Remaining?

Work:

Answer: _____

15. Subtract: $12 - 5 \frac{3}{4}$

Work:

Answer: _____

16. Subtract: $6 \frac{1}{3} - 2 \frac{5}{6}$

Work:

Answer: _____

Section 4: Multiplying Fractions

Worked Example: Multiplying Two Fractions: $1/2 \times 3/4$ Step 1:

Multiply numerators: $1 \times 3 = 3$

Step 2: Multiply denominators: $2 \times 4 = 8$

Answer: $3/8$

Worked Example: Multiplying Fraction by Whole Number: $2/3 \times 6$ Write 6 as

fraction: $6/1$

Multiply: $2/3 \times 6/1 = 12/3 = 4$

Answer: 4

Worked Example: Finding Half of a Recipe

Recipe needs $2/3$ cup oil. Making half batch.

$1/2 \times 2/3 = 2/6 = 1/3$ cup oil needed

Worked Example: Multiplying Mixed Numbers

$2 \frac{1}{2} \times 2$

Convert: $2 \frac{1}{2} = 5/2$

$5/2 \times 2 = 10/2 = 5$

Answer: 5

❖❖ Practice: Multiplying Fractions

1. Multiply: $1/2 \times 1/4$

Work:

Answer: _____

2. Multiply: $2/3 \times 3/4$

Work:

Answer: _____

3. Multiply: $1/4 \times 8$

Work:

Answer: _____

4. Multiply: $3/5 \times 2/3$

Work:

Answer: _____

5. Half of $\frac{2}{3}$ cup is how much?

Work:

Answer: _____

6. Multiply: $\frac{4}{5} \times \frac{5}{8}$

Work:

Answer: _____

7. Triple the recipe: $3 \times \frac{2}{3}$ cup = ?

Work:

Answer: _____

8. Multiply: $2\frac{1}{2} \times 2$

Work:

Answer: _____

9. Multiply: $\frac{3}{4} \times \frac{2}{5}$

Work:

Answer: _____

10. Multiply: $\frac{5}{6} \times 3$

Work:

Answer: _____

11. Quarter of a recipe: $\frac{1}{4} \times \frac{3}{4}$ cup = ?

Work:

Answer: _____

12. Multiply: $\frac{7}{8} \times \frac{4}{7}$

Work:

Answer: _____

13. Multiply: $2/3 \times 9$

Work:

Answer: _____

14. Multiply: $1 \frac{1}{2} \times 4$

Work:

Answer: _____

15. Multiply: $5/8 \times 2/3$

Work:

Answer: _____

16. Double batch: $2 \times 1 \frac{3}{4}$ cups = ?

Work:

Answer: _____

Chapter 4 Action Report: Kitchen Math

1. CONVERSION: Recipe needs $3 \frac{2}{5}$ cups. Write as improper fraction.

Work:

Answer: _____

2. DOUBLE BATCH: Original recipe: $1 \frac{3}{4}$ cups milk. Doubled amount?

Work:

Answer: _____

3. COMBINED: Cake needs $2 \frac{1}{2}$ cups flour. Frosting needs $1 \frac{3}{4}$ cups. Total flour?

Work:

Answer: _____

4. REMAINING: Started with 5 cups sugar. Used 2 1/3 cups. How much left?

Work:

Answer: _____

5. HALF BATCH: Full recipe uses 2/3 cup oil. Half batch needs?

Work:

Answer: _____

6. TRIPLE: Recipe uses 1 1/4 cups butter. Triple batch needs?

Work:

Answer: _____

7. SERVINGS: Recipe makes 2 1/2 gallons. Need 7 1/2 gallons. How many batches?

Work:

Answer: _____

8. TOTAL: Breakfast used 3 2/3 cups flour. Lunch used 4 5/6 cups. Total today?

Work:

Answer: _____

CHAPTER 5

The Construction Crew

Chapter Goal: Use measurement, conversion, and geometry to complete building projects.

Welcome to the Construction Crew! You're helping build a new playground for the elementary school. You'll measure lumber, convert between units, calculate surface areas, and figure out how much fencing to order. Hard hats on—let's build!

Section 1: Units of Length

◆◆ Key Conversion Facts

Inches and Feet: 1 foot = 12 inches

Feet and Yards: 1 yard = 3 feet = 36 inches

► **Worked Example: Converting Feet to Inches:** $8 \text{ ft} = ? \text{ in}$ 1 foot =

12 inches

$8 \text{ feet} = 8 \times 12 = 96 \text{ inches}$

Answer: 96 inches

► **Worked Example: Converting Inches to Feet:** $54 \text{ inches} = ? \text{ ft} ? \text{ in}$ Divide by

12: $54 \div 12 = 4$ remainder 6

Answer: 4 feet 6 inches

► **Worked Example: Converting Yards to Feet:** $5 \text{ yards} = ? \text{ feet}$ 1 yard =

3 feet

$5 \text{ yards} = 5 \times 3 = 15 \text{ feet}$

Answer: 15 feet

◆◆ Practice: Length Conversions

1. 5 feet = ____ inches

Work:

Answer: _____

2. 36 inches = ____ feet

Work:

Answer: _____

3. 2 yards = ____ feet

Work:

Answer: _____

4. 4 feet 3 inches = ___ inches total

Work:

Answer: _____

5. 72 inches = ___ feet

Work:

Answer: _____

6. 7 feet = ___ inches

Work:

Answer: _____

7. 15 feet = ___ yards

Work:

Answer: _____

8. 100 inches = ___ feet ___ inches

Work:

Answer: _____

9. 6 yards = ___ inches

Work:

Answer: _____

10. 30 feet = ___ yards

Work:

Answer: _____

11. 3 feet 8 inches = ___ inches total

Work:

Answer: _____

12. 60 inches = ___ feet

Work:

Answer: _____

13. 4 yards 2 feet = ___ feet total

Work:

Answer: _____

14. 90 inches = ___ feet ___ inches

Work:

Answer: _____

15. 18 feet = ___ yards

Work:

Answer: _____

16. 2 yards 1 foot = ___ inches total

Work:

Answer: _____

Section 2: Perimeter

❖ The Skill

Perimeter: The distance around a shape. Add all sides!

Rectangle formula: $P = 2 \times \text{length} + 2 \times \text{width}$ (or $P = 2L + 2W$)

❖ Worked Example: Rectangle Perimeter: 12 ft × 8 ft

$$P = 2(12) + 2(8) = 24 + 16 = 40 \text{ feet}$$

Or add all sides: $12 + 8 + 12 + 8 = 40 \text{ feet}$

Answer: 40 feet of fencing needed

❖ Worked Example: Finding Missing Side from Perimeter

Rectangle perimeter is 48 ft. Length is 14 ft. Find width.

$$P = 2L + 2W$$

$$48 = 2(14) + 2W$$

$$48 = 28 + 2W$$

$$20 = 2W$$

Width: 10 feet

❖❖ Practice: Perimeter

1. Rectangle 12 ft \times 8 ft. Perimeter?

Work:

Answer: _____

2. Square with sides 9 ft. Perimeter?

Work:

Answer: _____

3. Garden 15 ft \times 10 ft. Fence needed?

Work:

Answer: _____

4. Picture frame 24 in \times 18 in. Border length?

Work:

Answer: _____

5. Playground 50 ft \times 30 ft. Perimeter?

Work:

Answer: _____

6. Square perimeter is 48 ft. Side length?

Work:

Answer: _____

7. Rectangle P = 60 ft, length = 18 ft. Width?

Work:

Answer: _____

8. Triangle sides: 7 ft, 8 ft, 10 ft. Perimeter?

Work:

Answer: _____

9. Room 14 ft \times 12 ft. Baseboard needed?

Work:

Answer: _____

10. Rectangle $P = 100$ ft, width = 20 ft. Length?

Work:

Answer: _____

11. Square perimeter 64 ft. Side length?

Work:

Answer: _____

12. Rectangle 25 ft \times 15 ft. Perimeter?

Work:

Answer: _____

13. Fence costs \$8/ft. Rectangle 40 \times 30 ft. Total fence cost?

Work:

Answer: _____

14. Triangle $P = 36$ ft. Two sides are 12 ft and 14 ft. Third side?

Work:

Answer: _____

15. Rectangle $P = 84$ ft. Length is 3 \times width. Find both.

Work:

Answer: _____

16. Square garden. 120 ft of fence available. Maximum side length?

Work:

Answer: _____

Section 3: Area

❖❖ The Skill

Area: The space inside a shape, measured in square units.

Rectangle formula: $A = \text{length} \times \text{width}$

❖ Worked Example: Finding Area: 15 ft × 12 ft room

$$A = 15 \times 12 = 180 \text{ square feet}$$

Answer: 180 sq ft

❖ Worked Example: Finding Missing Side from Area

Rectangle area is 72 sq ft. Width is 8 ft. Find length.

$$A = L \times W$$

$$72 = L \times 8$$

$$L = 72 \div 8 = 9$$

Length: 9 feet

❖ Worked Example: Real-World Application: Flooring Cost Room:

20 ft × 18 ft. Flooring costs \$4 per square foot.

$$\text{Area: } 20 \times 18 = 360 \text{ sq ft}$$

$$\text{Cost: } 360 \times \$4 = \$1,440$$

❖❖ Practice: Area

1. Rectangle 15 ft × 12 ft. Area?

Work:

Answer: _____

2. Square side 8 ft. Area?

Work:

Answer: _____

3. Floor 20 ft × 18 ft. Square feet?

Work:

Answer: _____

4. Wall 12×9 ft. Paint covers 50 sq ft/gal. How many gallons?

Work:

Answer: _____

5. Two rooms: 10×12 and 8×10 ft. Combined area?

Work:

Answer: _____

6. Grass seed \$2/sq ft. Lawn 30×20 ft. Cost?

Work:

Answer: _____

7. Square area is 144 sq ft. Side length?

Work:

Answer: _____

8. Rectangle area is 72 sq ft, width is 8 ft. Length?

Work:

Answer: _____

9. Carpet \$5/sq ft. Room 15×12 ft. Total cost?

Work:

Answer: _____

10. Driveway $40 \text{ ft} \times 12 \text{ ft}$. Square feet?

Work:

Answer: _____

11. Rectangle area 96 sq ft, length 12 ft. Width?

Work:

Answer: _____

12. Three rooms: 12×10 , 14×12 , 10×8 ft. Total area?

Work:

Answer: _____

13. Square area 225 sq ft. Side length?

Work:

Answer: _____

14. Tile costs \$3/sq ft. Bathroom 8×6 ft. Cost?

Work:

Answer: _____

15. Playground 60×45 ft. Surface material \$1.50/sq ft. Cost?

Work:

Answer: _____

16. Rectangle 24×18 ft. Area in square yards? ($9 \text{ sq ft} = 1 \text{ sq yd}$)

Work:

Answer: _____

Section 4: Weight and Capacity

?? Key Facts

Weight: 1 pound = 16 ounces, 1 ton = 2,000 pounds

Capacity: 1 gallon = 4 quarts = 8 pints = 16 cups

Worked Example: Converting Pounds to Ounces

5 pounds = ? ounces

$5 \times 16 = 80$ ounces

Answer: 80 ounces

Worked Example: Converting Gallons to Quarts

3 gallons = ? quarts

$3 \times 4 = 12$ quarts

Answer: 12 quarts

❖❖ Practice: Weight and Capacity

1. 3 pounds = ___ ounces

Work:

Answer: _____

2. 48 ounces = ___ pounds

Work:

Answer: _____

3. 2 gallons = ___ quarts

Work:

Answer: _____

4. 1.5 tons = ___ pounds

Work:

Answer: _____

5. 5 gallons = ___ pints

Work:

Answer: _____

6. 24 cups = ___ quarts

Work:

Answer: _____

7. 3,500 pounds = ___ tons ___ pounds

Work:

Answer: _____

8. Need 960 lbs of sand. Bags hold 80 lbs. How many bags?

Work:

Answer: _____

9. 4 quarts = ___ cups

Work:

Answer: _____

10. 64 ounces = ___ pounds

Work:

Answer: _____

11. 6 gallons = ___ cups

Work:

Answer: _____

12. 1 ton 500 lbs = ___ pounds total

Work:

Answer: _____

13. 32 pints = ___ gallons

Work:

Answer: _____

14. Recipe needs 2 quarts. How many cups?

Work:

Answer: _____

15. Truck holds 3 tons. Crates weigh 250 lbs each. Max crates?

Work:

Answer: _____

16. Pool holds 5,000 gallons. How many quarts?

Work:

Answer: _____

Chapter 5 Action Report: Construction Summary

1. LUMBER: Need boards 18 ft total. Boards come in 6 ft lengths. How many? Work:

Answer: _____

2. CONVERSION: Blueprint shows 156 inches. Convert to feet.

Work:

Answer: _____

3. FENCE: Playground 60×45 ft. Fence around perimeter?

Work:

Answer: _____

4. SURFACE: Same 60×45 ft. Safety mulch costs \$2/sq ft. Total cost?

Work:

Answer: _____

5. CONCRETE: Need 1,200 lbs. Bags hold 40 lbs each. How many bags?

Work:

Answer: _____

6. PAINT: Wall 15×10 ft. Gallon covers 100 sq ft. Enough with 1 gallon?

Work:

Answer: _____

7. SANDBOX: Perimeter 24 ft, length 8 ft. Width? Area?

Work:

Answer: _____

8. TOTAL AREA: Three play areas: 12×10, 8×6, 5×5 ft. Combined sq ft?

Work:

Answer: _____

CHAPTER 6

The Sports League Manager

Chapter Goal: Collect, organize, and analyze data using tables, graphs, and statistics.

Welcome to Youth Sports League! As league manager, you'll track team scores, calculate batting averages, create standings, and make graphs to show performance. Data analysis helps you make fair decisions about playoffs, awards, and team improvements!

Section 1: Reading and Creating Data Tables

❖ The Scenario

You need to track the performance of 4 teams throughout the season. Tables help organize large amounts of information clearly.

❖ Worked Example: Reading a Team Standings Table

Team | Wins | Losses | Ties | Total Games

Eagles | 8 | 2 | 1 | 11

Tigers | 7 | 3 | 1 | 11

Bears | 5 | 5 | 1 | 11

Lions | 2 | 8 | 1 | 11

Eagles lead with 8 wins. Lions have most losses.

❖ Worked Example: Calculating Win Percentage

Eagles: 8 wins out of 11 games

Win fraction: 8/11

Win percentage: $8 \div 11 \approx 0.727$ = about 73%

❖ Practice: Data Tables

1. Eagles won 8 of 11 games. What fraction of games did they win?

Work:

Answer: _____

2. Which team won exactly half their games?

Work:

Answer: _____

3. What is the total number of wins across all four teams?

Work:

Answer: _____

4. Playoffs require 6 or more wins. Which teams qualify?

Work:

Answer: _____

5. If Lions win 3 more games, what would be their new record?

Work:

Answer: _____

6. What is the average number of wins per team?

Work:

Answer: _____

7. What fraction of Bears' games were ties?

Work:

Answer: _____

8. What is the combined number of losses for Eagles and Tigers?

Work:

Answer: _____

9. Which team has the worst win-loss record?

Work:

Answer: _____

10. If Tigers win 2 more games next week, what's their total?

Work:

Answer: _____

11. Eagles lost what fraction of their games?

Work:

Answer: _____

12. How many more wins do Eagles have than Lions?

Work:

Answer: _____

13. What percentage of Lions' games were losses? (Round to nearest %)

Work:

Answer: _____

14. Total games played by all teams combined?

Work:

Answer: _____

15. If all teams played 5 more games each, total games for league?

Work:

Answer: _____

16. Bears need 2 more wins for playoffs. What would their record be?

Work:

Answer: _____

Section 2: Bar Graphs and Line Plots

Basketball team scores this week:

Monday 42, Tuesday 38, Wednesday 51, Thursday 45, Friday 44

Worked Example: Reading Bar Graph Data

Highest bar = best score: Wednesday with 51 points

Shortest bar = lowest score: Tuesday with 38 points

Range: $51 - 38 = 13$ points between best and worst

Total: $42 + 38 + 51 + 45 + 44 = 220$ points

Practice: Graphs

1. What was the highest score this week?

Work:

Answer: _____

2. What is the range (highest minus lowest)?

Work:

Answer: _____

3. What is the total points scored all five days?

Work:

Answer: _____

4. Which two days had the closest scores?

Work:

Answer: _____

5. Goal was 45 points per day. How many days met the goal?

Work:

Answer: _____

6. How many more points were scored Wednesday than Tuesday?

Work:

Answer: _____

7. What is the average daily score?

Work:

Answer: _____

8. If Thursday's score increased by 5, what would it be?

Work:

Answer: _____

9. Which day was closest to the average?

Work:

Answer: _____

10. Total points Monday through Wednesday?

Work:

Answer: _____

11. How many points below the goal was Tuesday?

Work:

Answer: _____

12. If Friday's score doubled, what would it be?

Work:

Answer: _____

13. Difference between highest and second-highest day?

Work:

Answer: _____

14. Order the days from lowest to highest score.

Work:

Answer: _____

15. What fraction of total points came from Wednesday?

Work:

Answer: _____

16. If every day had scored 45 points, what would week total be?

Work:

Answer: _____

Section 3: Mean, Mode, and Range

❖❖ Key Definitions

Mean (Average): Add all values, divide by count

Mode: The value that appears most often

Range: Difference between highest and lowest values

❖ Worked Example: Finding the Mean

Scores: 45, 52, 48, 52, 55

Step 1: Add all values: $45 + 52 + 48 + 52 + 55 = 252$

Step 2: Count values: 5

Step 3: Divide: $252 \div 5 = 50.4$

Mean: 50.4 points

❖ Worked Example: Finding the Mode

Scores: 48, 52, 48, 55, 48, 52

48 appears 3 times (most frequent)

52 appears 2 times

55 appears 1 time

Mode: 48

❖ Worked Example: Finding the Range

Scores: 45, 52, 48, 52, 55

Highest: 55, Lowest: 45

Range: $55 - 45 = 10$

Range: 10 points

❖❖ Practice: Statistics

1. Find the mean: 12, 15, 18, 15

Work:

Answer: _____

2. Find the mean: 85, 90, 88, 92, 95

Work:

Answer: _____

3. Find the mode: 24, 28, 24, 30, 24

Work:

Answer: _____

4. Find the mean: 42, 38, 51, 45, 44

Work:

Answer: _____

5. Player scored 8, 12, 6, 10, 14 points in 5 games. Average?

Work:

Answer: _____

6. Find the range: 23, 45, 31, 28, 40

Work:

Answer: _____

7. Find the mode: 12, 14, 12, 15, 12, 13

Work:

Answer: _____

8. Test scores: 75, 82, 78, 85. Average?

Work:

Answer: _____

9. Find the mode: 5, 7, 5, 8, 5, 9, 7

Work:

Answer: _____

10. Find the range: 100, 85, 92, 78, 95

Work:

Answer: _____

11. Mean of 6 scores is 80. Sum of all scores?

Work:

Answer: _____

12. Scores: 90, 85, 90, 75, 90. What's the mode?

Work:

Answer: _____

13. Find mean: 123, 145, 156, 132, 144

Work:

Answer: _____

14. Range is 25, lowest is 60. What's the highest?

Work:

Answer: _____

15. Find mode: 3, 5, 3, 7, 3, 5, 5, 3

Work:

Answer: _____

16. Average of 4 tests is 88. Sum of all tests?

Work:

Answer: _____

Section 4: Making Predictions from Data

Worked Example: Using Average to Predict

Team averages 45 points per game.

Season has 20 games.

Predicted total: $45 \times 20 = 900$ points for the season

Worked Example: Using Percentages to Predict

Team wins 60% of games. Playing 20 games total.

Predicted wins: $60\% \text{ of } 20 = 0.60 \times 20 = 12$ wins

 **Practice: Predictions**

1. Average 3 goals per game. Predict total for 15-game season.

Work:

Answer: _____

2. Scoring 8 points per game. Predict 25-game season total.

Work:

Answer: _____

3. Average 250 attendance per game. Predict total for 12 home games.

Work:

Answer: _____

4. Run a mile in 8 minutes. Predict time for 5 miles.

Work:

Answer: _____

5. Win 60% of games. In 20 games, predict number of wins.

Work:

Answer: _____

6. Scored 180 points in first 4 games. Predict total for 10 games.

Work:

Answer: _____

7. Score 12 runs every 3 games. Predict runs in 9 games.

Work:

Answer: _____

8. Sell 50 tickets per hour. Predict sales for 8 hours.

Work:

Answer: _____

9. Average 15 points per game. Need 200 points. How many games?

Work:

Answer: _____

10. Win rate is 75%. In 24 games, predicted wins?

Work:

Answer: _____

11. Score 2.5 goals per game. Predict total for 18 games.

Work:

Answer: _____

12. Average \$450 in sales per day. Predict weekly (7-day) sales.

Work:

Answer: _____

Chapter 6 Action Report: Season Summary

1. RECORD: Team has 12 wins, 6 losses, 2 ties. What fraction are wins?

Work:

Answer: _____

2. SCORING: Week's scores: 52, 48, 61, 55, 44. Find the average.

Work:

Answer: _____

3. RANGE: Highest score 78, lowest 42. What is the range?

Work:

Answer: _____

4. PREDICTION: Average 48 points/game. Predict 15-game season total.

Work:

Answer: _____

5. MODE: Game times (minutes): 15, 18, 15, 20, 15, 17. Find the mode.

Work:

Answer: _____

6. LEAGUE TOTAL: Four teams scored 45, 52, 38, 49. League total?

Work:

Answer: _____

7. COMPARISON: Team A averages 42, Team B averages 45. Difference over 10 games? Work:

Answer: _____

8. GOAL CHECK: Need 50+ average. Scores: 48, 52, 46, 55. Will they make it?

Work:

Answer: _____

CHAPTER 7

The Savings Account

Chapter Goal: Master decimals through banking, shopping, and money management.

Welcome to Junior Banking! You'll manage a savings account, compare prices at different stores, calculate discounts, and track your balance. Understanding decimals is essential for financial success—every cent counts!

Section 1: Decimal Place Value

✍ Worked Example: Understanding \$42.75

4 is in the tens place = \$40.00

2 is in the ones place = \$2.00

7 is in the tenths place = \$0.70 (70 cents)

5 is in the hundredths place = \$0.05 (5 cents)

Total: \$40 + \$2 + \$0.70 + \$0.05 = \$42.75

✍ Worked Example: Rounding Money

Round \$34.67 to nearest dollar:

Look at tenths (6). Is it 5 or more? YES!

Round UP: \$34.67 → \$35.00

Round \$8.943 to nearest cent:

Look at thousandths (3). Is it 5 or more? NO!

Round DOWN: \$8.943 → \$8.94

❖❖ Practice: Decimal Place Value

1. In 56.83, what is the value of the digit 8?

Work:

Answer: _____

2. Write 23.45 in expanded form.

Work:

Answer: _____

3. Write in standard form: $6 + 0.3 + 0.09$

Work:

Answer: _____

4. In \$125.49, what is the value of the digit 4?

Work:

Answer: _____

5. Round \$34.67 to the nearest dollar.

Work:

Answer: _____

6. Round \$8.943 to the nearest cent.

Work:

Answer: _____

7. What digit is in the tenths place of 45.82?

Work:

Answer: _____

8. Write 7 dollars and 8 cents as a decimal.

Work:

Answer: _____

9. What digit is in the hundredths place of 123.45?

Work:

Answer: _____

10. Round \$99.95 to the nearest dollar.

Work:

Answer: _____

11. Write in expanded form: \$156.72

Work:

Answer: _____

12. Round \$4.997 to the nearest cent.

Work:

Answer: _____

13. What is 0.5 as a fraction?

Work:

Answer: _____

14. Write 3 dollars 5 cents as a decimal.

Work:

Answer: _____

15. Round \$199.49 to the nearest dollar.

Work:

Answer: _____

16. In 78.456, what is the value of the 5?

Work:

Answer: _____

Section 2: Comparing Decimals

Worked Example: Comparing \$24.95 and \$24.59

Line up decimal points and compare left to right:

Ones: both have 24

Tenths: 9 vs 5 → 9 > 5

Answer: \$24.95 > \$24.59 (Store B is cheaper!)

Worked Example: Ordering Decimals

Order from least to greatest: 5.6, 5.06, 5.60, 5.066

Rewrite with same decimal places: 5.600, 5.060, 5.600, 5.066

Order: 5.06, 5.066, 5.6 = 5.60

 **Practice: Comparing Decimals**

1. Compare: $3.5 \underline{\hspace{1cm}}$ 3.50

Work:

Answer: _____

2. Compare: $4.25 \underline{\hspace{1cm}}$ 4.3

Work:

Answer: _____

3. Compare: $12.09 \underline{\hspace{1cm}}$ 12.1

Work:

Answer: _____

4. Order least to greatest: $5.6, 5.06, 5.60, 5.066$

Work:

Answer: _____

5. Which costs less: $\$15.99$ or $\$15.90$?

Work:

Answer: _____

6. Order greatest to least: $8.4, 8.04, 8.44, 8.404$

Work:

Answer: _____

7. Compare: $0.5 \underline{\hspace{1cm}}$ 0.50

Work:

Answer: _____

8. Which is the better deal: $\$29.99$ or $\$30.00$?

Work:

Answer: _____

9. Order least to greatest: 7.1, 7.01, 7.10, 7.001

Work:

Answer: _____

10. Compare: 6.789 ____ 6.79

Work:

Answer: _____

11. Which is more: 0.45 or 0.405?

Work:

Answer: _____

12. Order greatest to least: 3.03, 3.3, 3.033, 3.303

Work:

Answer: _____

13. Compare: 9.90 ____ 9.9

Work:

Answer: _____

14. Which is less: \$45.09 or \$45.90?

Work:

Answer: _____

15. Order: 0.25, 0.3, 0.205, 0.35 from least to greatest

Work:

Answer: _____

16. Compare: 15.050 ____ 15.05

Work:

Answer: _____

Section 3: Adding and Subtracting Decimals

Worked Example: Adding: \$45.67 + \$23.45

Line up decimal points:

$$\begin{array}{r} 45.67 \\ + 23.45 \\ \hline \end{array}$$

Answer: \$69.12

Worked Example: Subtracting: \$100.00 - \$67.85

Line up decimal points:

$$\begin{array}{r} 100.00 \\ - 67.85 \\ \hline \end{array}$$

Answer: \$32.15

❖❖ Practice: Decimal Operations

1. Add: 45.67 + 23.45

Work:

Answer: _____

2. Subtract: 100.00 - 67.85

Work:

Answer: _____

3. Balance \$234.56, deposit \$45.00. New balance?

Work:

Answer: _____

4. Add: 12.5 + 8.75 + 3.25

Work:

Answer: _____

5. Had \$50.00, spent \$23.47. Remaining?

Work:

Answer: _____

6. Add: $6.4 + 12.85 + 0.75$

Work:

Answer: _____

7. Subtract: $85.00 - 36.78$

Work:

Answer: _____

8. Check has \$125.40. Spent \$45.99, \$32.50, \$18.75. Remaining?

Work:

Answer: _____

9. Add: $234.56 + 78.9 + 12.345$

Work:

Answer: _____

10. Subtract: $\$500.00 - \267.89

Work:

Answer: _____

11. Balance \$1,234.56. Withdraw \$789.99. New balance?

Work:

Answer: _____

12. Add: $0.5 + 0.75 + 1.25 + 0.5$

Work:

Answer: _____

13. Subtract: $50 - 12.75$

Work:

Answer: _____

14. Start \$200, deposit \$75.50, withdraw \$48.25. Balance?

Work:

Answer: _____

15. Add: $99.99 + 45.50 + 12.01$

Work:

Answer: _____

16. Subtract: $1,000 - 456.78$

Work:

Answer: _____

Section 4: Multiplying Decimals

❖ Worked Example: Multiplying: $\$2.45 \times 6$

Step 1: Multiply as whole numbers: $245 \times 6 = 1,470$

Step 2: Count decimal places in factors: 2 (from 2.45)

Step 3: Place decimal: 14.70

Answer: \$14.70

❖ Worked Example: Multiplying Two Decimals: 1.5×2.5

$= 375$

Decimal places: $1 + 1 = 2$

Answer: 3.75

❖ Practice: Multiplying Decimals

1. Multiply: 3.5×4

Work:

Answer: _____

2. Multiply: 2.25×8

Work:

Answer: _____

3. $\$4.99 \times 3$ items. Total?

Work:

Answer: _____

4. Multiply: 1.5×2.5

Work:

Answer: _____

5. Gas costs \$3.45 per gallon. 10 gallons costs?

Work:

Answer: _____

6. Multiply: 12.50×4

Work:

Answer: _____

7. Tickets are \$8.50 each. 5 people costs?

Work:

Answer: _____

8. Multiply: 0.75×12

Work:

Answer: _____

9. $\$6.99 \times 7$ items. Total?

Work:

Answer: _____

10. Multiply: 2.5×3.5

Work:

Answer: _____

11. Hourly wage \$15.50. Worked 8 hours. Earnings?

Work:

Answer: _____

12. Multiply: 4.25×6

Work:

Answer: _____

13. \$12.75 per yard. 5 yards costs?

Work:

Answer: _____

14. Multiply: 0.5×0.5

Work:

Answer: _____

15. Tax is 8% (\$0.08) on \$25. Tax amount?

Work:

Answer: _____

16. Multiply: 3.14×10

Work:

Answer: _____

Chapter 7 Action Report: Banking Summary

1. BALANCE: Start \$245.80, deposit \$75.25, withdraw \$50.00. Final balance?

Work:

Answer: _____

2. COMPARISON: Store A: \$34.99. Store B: \$35.09. Which is cheaper?

Work:

Answer: _____

3. SHOPPING: Items cost \$12.45, \$8.99, \$5.50. Total?

Work:

Answer: _____

4. CHANGE: Pay \$50.00 for \$37.82 purchase. Change due?

Work:

Answer: _____

5. PURCHASE: 6 books \times \$8.95 each. Total cost?

Work:

Answer: _____

6. ORDERING: Arrange least to greatest: 3.45, 3.405, 3.5, 3.54

Work:

Answer: _____

7. ROUNDING: Round \$156.847 to the nearest cent.

Work:

Answer: _____

8. SAVINGS: Save \$12.50 per week \times 8 weeks. Total saved?

Work:

Answer: _____

CHAPTER 8

The Delivery Driver

Chapter Goal: Calculate elapsed time, read schedules, and plan efficient routes.

Welcome to Express Delivery! Calculate how long deliveries take, read bus schedules, and make sure packages arrive on time. Time management is essential for keeping customers happy!

Section 1: Telling Time and Time Intervals

?? Key Facts

Minutes and Hours: 60 minutes = 1 hour

Seconds and Minutes: 60 seconds = 1 minute

↖ Worked Example: Finding Time Intervals

From 9:20 to 9:45 = how many minutes?

Count: $9:20 \rightarrow 9:45 = 25 \text{ minutes}$

Or subtract: $45 - 20 = 25 \text{ minutes}$

↖ Worked Example: Adding Time

45 minutes after 10:30 AM is what time?

$10:30 + 30 \text{ min} = 11:00$

$11:00 + 15 \text{ min} = 11:15 \text{ AM}$

❖❖ Practice: Telling Time

1. 9:20 to 9:45 = ___ minutes

Work:

Answer: _____

2. 2:30 PM to 3:00 PM = ___ minutes

Work:

Answer: _____

3. 45 minutes after 10:30 AM is what time?

Work:

Answer: _____

4. 20 minutes before 4:15 PM is what time?

Work:

Answer: _____

5. 11:45 AM to 12:15 PM = how long?

Work:

Answer: _____

6. 1 hour 15 minutes after 9:50 AM is what time?

Work:

Answer: _____

7. 35 minutes after 7:40 PM is what time?

Work:

Answer: _____

8. 50 minutes before 3:05 PM is what time?

Work:

Answer: _____

9. 8:25 to 9:10 = ____ minutes

Work:

Answer: _____

10. 2 hours 20 minutes after 6:45 AM is what time?

Work:

Answer: _____

11. 7:55 to 8:30 = ____ minutes

Work:

Answer: _____

12. 1 hour 45 minutes before 2:30 PM is what time?

Work:

Answer: _____

13. 10:40 to 11:25 = ___ minutes

Work:

Answer: _____

14. 55 minutes after 11:35 PM is what time?

Work:

Answer: _____

15. 3:15 to 5:00 = ___ hours ___ minutes

Work:

Answer: _____

16. 25 minutes before 12:10 PM is what time?

Work:

Answer: _____

Section 2: Elapsed Time

Worked Example: 10:45 AM to 2:20 PM

Method: Count in chunks

10:45 AM → 11:00 AM = 15 minutes

11:00 AM → 2:00 PM = 3 hours

2:00 PM → 2:20 PM = 20 minutes

Total: 3 hours 35 minutes

Worked Example: Finding End Time

Start: 2:45 PM. Duration: 2 hours 35 minutes

2:45 + 2 hours = 4:45 PM

4:45 + 35 minutes = 5:20 PM

End time: 5:20 PM

◆◆ Practice: Elapsed Time

1. 8:30 AM to 11:45 AM = ?

Work:

Answer: _____

2. 1:15 PM to 4:30 PM = ?

Work:

Answer: _____

3. Movie starts 7:45 PM, ends 10:10 PM. Length?

Work:

Answer: _____

4. Flight departs 6:30 AM, arrives 9:15 AM. Duration?

Work:

Answer: _____

5. Work 8:00 AM to 4:30 PM. Total hours?

Work:

Answer: _____

6. Game starts 2:45 PM, lasts 2 hr 35 min. End time?

Work:

Answer: _____

7. School 8:15 AM to 3:30 PM. Total hours?

Work:

Answer: _____

8. Show starts 7:30 PM, ends 11:00 PM. Length?

Work:

Answer: _____

9. Practice 3:45 PM to 6:00 PM. Duration?

Work:

Answer: _____

10. Leave home 7:20 AM, arrive 9:05 AM. Travel time?

Work:

Answer: _____

11. Meeting 10:30 AM, lasts 1 hr 45 min. End time?

Work:

Answer: _____

12. Party 4:00 PM to 7:30 PM. Duration?

Work:

Answer: _____

13. Train departs 5:55 PM, journey 3 hr 20 min. Arrival?

Work:

Answer: _____

14. Store hours 9:00 AM to 9:00 PM. Open how long?

Work:

Answer: _____

y

15. Baking starts 2:15 PM, takes 1 hr 50 min. Done when?

Work:

Answer: _____

16. Event 11:30 AM to 3:45 PM. Duration?

Work:

Answer: _____

Section 3: Planning with Schedules

Worked Example: Route Planning

5 deliveries \times 25 minutes each = 125 minutes

125 minutes = 2 hours 5 minutes

Start 9:00 AM \rightarrow Finish 11:05 AM

Worked Example: Working Backward

Must arrive by 3:00 PM. Trip takes 45 minutes.

3:00 PM - 45 minutes = 2:15 PM

Leave by: 2:15 PM at latest

Practice: Schedules

1. 3 stops \times 20 minutes each. Total time?

Work:

Answer: _____

2. Start 8:30 AM, 4 deliveries \times 15 min each. Finish time?

Work:

Answer: _____

3. Must arrive by 3:00 PM. Trip takes 45 min. Latest departure?

Work:

Answer: _____

4. 8 deliveries \times 30 min = _____ hours

Work:

Answer: _____

5. Work 10:00 AM to 12:00 PM, break, 12:30 PM to 3:00 PM. Total work time? Work:

Answer: _____

6. Need 4 hr 30 min for task. Start 7:45 AM. End time?

Work:

Answer: _____

7. 6 stops \times 25 min each. Start 10:00 AM. Finish?

Work:

Answer: _____

8. Due 5:00 PM. Takes 2 hr 15 min. Latest start?

Work:

Answer: _____

9. Bus every 20 min starting 6:00 AM. Third bus arrives?

Work:

Answer: _____

10. 5 tasks: 45, 30, 60, 25, 40 min. Total time?

Work:

Answer: _____

11. Start 9:15 AM. Tasks: 1 hr 20 min, 45 min, 1 hr 10 min. End?

Work:

Answer: _____

12. Need to finish by 4:30 PM. Tasks total 3 hr 45 min. Latest start?

Work:

Answer: _____

Section 4: Time Conversions

Worked Example: 185 minutes = ? hours ? minutes

Divide by 60: $185 \div 60 = 3$ remainder 5

Answer: 3 hours 5 minutes

Worked Example: 2 hr 45 min = ? minutes

2 hours = $2 \times 60 = 120$ minutes

$120 + 45 = 165$ minutes

Answer: 165 minutes

  Practice: Time Conversions

1. $150 \text{ min} = \underline{\hspace{1cm}} \text{ hr } \underline{\hspace{1cm}} \text{ min}$

Work:

Answer: _____

2. $2 \text{ hr } 45 \text{ min} = \underline{\hspace{1cm}} \text{ minutes}$

Work:

Answer: _____

3. $200 \text{ min} = \underline{\hspace{1cm}} \text{ hr } \underline{\hspace{1cm}} \text{ min}$

Work:

Answer: _____

4. $3.5 \text{ hours} = \underline{\hspace{1cm}} \text{ minutes}$

Work:

Answer: _____

5. $90 \text{ seconds} = \underline{\hspace{1cm}} \text{ min } \underline{\hspace{1cm}} \text{ sec}$

Work:

Answer: _____

6. $4 \text{ hr } 20 \text{ min} = \underline{\hspace{1cm}} \text{ minutes total}$

Work:

Answer: _____

7. $275 \text{ min} = \underline{\hspace{1cm}} \text{ hr } \underline{\hspace{1cm}} \text{ min}$

Work:

Answer: _____

8. $5.25 \text{ hours} = \underline{\hspace{1cm}} \text{ hr } \underline{\hspace{1cm}} \text{ min}$

Work:

Answer: _____

9. 180 seconds = ___ minutes

Work:

Answer: _____

10. 6 hr 15 min = ___ minutes

Work:

Answer: _____

11. 320 min = ___ hr ___ min

Work:

Answer: _____

12. 1.75 hours = ___ minutes

Work:

Answer: _____

Chapter 8 Action Report: Delivery Day Summary

1. ROUTE: Left depot 7:45 AM, returned 2:15 PM. Time on route?

Work:

Answer: _____

2. DELIVERIES: 6 stops \times 35 min each. Start 9:00 AM. Finish time?

Work:

Answer: _____

3. CONVERSION: Route took 255 min. Express in hours and minutes.

Work:

Answer: _____

4. DEADLINE: Package due 4:30 PM. Delivery takes 1 hr 45 min. Latest pickup? Work:

Answer: _____

5. TOTAL: Morning 2 hr 15 min, afternoon 3 hr 40 min. Total work time?

Work:

Answer: _____

6. WORK DAY: Shift 8 AM to 5 PM with 45-min lunch. Hours worked?

Work:

Answer: _____

CHAPTER 9

The Garden Designer

Chapter Goal: Use patterns, variables, and equations to plan beautiful gardens.

Welcome to Green Thumb Landscapes! You'll discover patterns in plant arrangements, use variables to write formulas, and solve equations to figure out how many supplies to order. Algebra starts here!

Section 1: Number Patterns

Worked Example: Finding the Pattern: 4, 7, 10, 13...

Look at differences between numbers:

$$7-4=3, 10-7=3, 13-10=3$$

Rule: Add 3 each time

$$\text{Next number: } 13 + 3 = 16$$

$$\text{Row 10: Start at 4, add 3 nine times} = 4 + 27 = 31$$

Worked Example: Geometric Pattern: 3, 6, 12, 24...

Look at relationships:

$$6 \div 3 = 2, 12 \div 6 = 2, 24 \div 12 = 2$$

Rule: Multiply by 2 each time

$$\text{Next: } 24 \times 2 = 48$$

◆◆ Practice: Patterns

1. 2, 5, 8, 11, _____. What's next?

Work:

Answer: _____

2. 3, 6, 12, 24, _____. What's next?

Work:

Answer: _____

3. 100, 90, 80, 70, _____. What's next?

Work:

Answer: _____

4. Row 1: 5 plants, Row 2: 8, Row 3: 11. Row 5?

Work:

Answer: _____

5. 1, 4, 9, 16, _____. What's next? (Hint: Square numbers!)

Work:

Answer: _____

6. Fence posts: 4, 7, 10, 13. Section 8?

Work:

Answer: _____

7. 2, 6, 18, 54, _____. What's next?

Work:

Answer: _____

8. 50, 45, 40, 35, _____. What's next?

Work:

Answer: _____

9. 1, 1, 2, 3, 5, 8, _____. What's next? (Fibonacci!)

Work:

Answer: _____

10. 64, 32, 16, 8, _____. What's next?

Work:

Answer: _____

11. Pattern +4: First term is 3. What's the 6th term?

Work:

Answer: _____

12. Tiles: 1, 3, 6, 10, _____. What's next? (Triangular numbers)

Work:

Answer: _____

13. 5, 10, 20, 40, _____. What's next?

Work:

Answer: _____

14. Pattern: 7, 14, 21, 28. What's the 10th term?

Work:

Answer: _____

15. 81, 27, 9, 3, _____. What's next?

Work:

Answer: _____

16. Flowers: Row 1 has 6. Each row adds 4 more. Row 8?

Work:

Answer: _____

Section 2: Understanding Variables

A variable is a letter that represents an unknown number. We use variables to write general rules.

Worked Example: Using Variables

Each flower needs w gallons of water.

12 flowers need: $12 \times w$ gallons

If $w = 2$: $12 \times 2 = 24$ gallons needed

Worked Example: Evaluating Expressions

Evaluate $3n + 2$ when $n = 4$

Substitute: $3(4) + 2 = 12 + 2 = 14$

Answer: 14

Practice: Variables

1. Write an expression: 8 more than n

Work:

Answer: _____

2. Write an expression: 5 times x

Work:

Answer: _____

3. Evaluate: $3n + 2$ when $n = 4$

Work:

Answer: _____

4. Evaluate: $2x - 5$ when $x = 10$

Work:

Answer: _____

5. Cost = $6p$. If $p = 15$, what is the cost?

Work:

Answer: _____

6. Area = $s \times s$. If $s = 7$, what is the area?

Work:

Answer: _____

7. Evaluate: $4n + 3n$ when $n = 5$

Work:

Answer: _____

8. Perimeter = $4s$. If $P = 36$, what is s ?

Work:

Answer: _____

9. Evaluate: $5x - 3$ when $x = 8$

Work:

Answer: _____

10. Distance = $60t$. If $t = 3$ hours, what is distance?

Work:

Answer: _____

11. Write expression: n divided by 4

Work:

Answer: _____

12. Evaluate: $2a + 3b$ when $a = 5$ and $b = 4$

Work:

Answer: _____

13. Write expression: 7 less than twice x

Work:

Answer: _____

14. Evaluate: $n^2 + 5$ when $n = 6$

Work:

Answer: _____

15. If $y = 3x + 1$ and $x = 5$, find y .

Work:

Answer: _____

16. Cost = $4.50n$. Find cost when $n = 8$.

Work:

Answer: _____

Section 3: Writing and Solving Equations

❖ Worked Example: Solving $n + 5 = 18$

What number plus 5 equals 18?

Think: $18 - 5 = 13$

Answer: $n = 13$

Check: $13 + 5 = 18 \checkmark$

❖ Worked Example: Solving $3n = 24$

What number times 3 equals 24?

Think: $24 \div 3 = 8$

Answer: $n = 8$

Check: $3 \times 8 = 24 \checkmark$

❖ Practice: Equations

1. Solve: $n + 7 = 15$

Work:

Answer: _____

2. Solve: $x - 4 = 12$

Work:

Answer: _____

3. Solve: $3n = 24$

Work:

Answer: _____

4. Solve: $n + 12 = 30$

Work:

Answer: _____

5. Solve: $5x = 45$

Work:

Answer: _____

6. Solve: $n - 8 = 25$

Work:

Answer: _____

7. Write and solve: A number plus 9 equals 21.

Work:

Answer: _____

8. Write and solve: 4 times a number equals 32.

Work:

Answer: _____

9. Solve: $2n + 3 = 11$

Work:

Answer: _____

10. Solve: $n \div 4 = 8$

Work:

Answer: _____

11. Solve: $15 - n = 7$

Work:

Answer: _____

12. Solve: $6x = 54$

Work:

Answer: _____

13. Write and solve: A number minus 15 equals 23.

Work:

Answer: _____

14. Solve: $n + n + n = 27$

Work:

Answer: _____

15. Solve: $4n - 5 = 19$

Work:

Answer: _____

16. Solve: $100 \div n = 25$

Work:

Answer: _____

Section 4: Input-Output Tables

Worked Example: Finding the Rule

Pots: 1 → \$3, 2 → \$6, 3 → \$9, 4 → \$12

Pattern: Each output is 3 times the input

Rule: Cost = 3 × Pots (or $y = 3x$)

◆◆ Practice: Input-Output Tables

1. Rule: $\times 4$. Input 5. Output?

Work:

Answer: _____

2. Rule: $+6$. Input 12. Output?

Work:

Answer: _____

3. In: 2,4,6,8. Out: 7,9,11,13. What's the rule?

Work:

Answer: _____

4. In: 1,2,3,4. Out: 5,10,15,20. What's the rule?

Work:

Answer: _____

5. $y = 2x + 1$. If $x = 6$, what is y ?

Work:

Answer: _____

6. $y = 3x - 2$. If $y = 10$, what is x ?

Work:

Answer: _____

7. In: 3,5,7,9. Out: 9,15,21,27. What's the rule?

Work:

Answer: _____

8. $y = 4x$. If $y = 36$, what is x ?

Work:

Answer: _____

9. Rule: $\times 3$ then -1 . Input 7. Output?

Work:

Answer: _____

10. In: 10,20,30,40. Out: 2,4,6,8. What's the rule?

Work:

Answer: _____

11. $y = x + 8$. Complete: If $x = 15$, $y = ?$

Work:

Answer: _____

12. In: 2,4,6,8. Out: 1,2,3,4. What's the rule?

Work:

Answer: _____

Chapter 9 Action Report: Garden Planning

1. PATTERN: Sections have 6, 10, 14, 18 flowers. What's next?

Work:

Answer: _____

2. VARIABLE: Each garden bed needs b bags of soil. 8 beds need how many? Work:

Answer: _____

3. EXPRESSION: Plants = $4n + 2$. If $n = 7$, how many plants?

Work:

Answer: _____

4. EQUATION: Started with some plants, added 12, now have 35. How many at start?

Work:

Answer: _____

5. SOLVE: $6n = 42$

Work:

Answer: _____

6. RULE: In: 3,5,7,9. Out: 12,20,28,36. What's the rule?

Work:

Answer: _____

7. PREDICT: Pattern adds 5 each row. Row 1 has 8. Row 12 has?

Work:

Answer: _____

8. COST: Shrubs cost \$15 each. Write cost equation. Find cost of 9 shrubs.

Work:

Answer: _____

CHAPTER 10

The Business Plan

Chapter Goal: Apply ALL your mathematical skills to create and analyze a real business.

Congratulations! You've learned place value, operations, fractions, decimals, measurement, data analysis, time management, and algebraic thinking. Now you'll use EVERYTHING to create your very own Lemonade Stand business!

Part 1: Startup Costs (Decimals & Operations)

Supplies needed: Cups \$12.50, Lemons \$18.75, Sugar \$8.25, Pitcher

1. What is the total startup cost?

Work:

Answer: _____

2. You have \$75.00 saved. After buying supplies, how much remains?

Work:

Answer: _____

3. If cups cost \$2.50 more, what would new total be?

Work:

Answer: _____

Part 2: Recipe Scaling (Fractions)

One batch (makes 8 cups): 1 1/2 cups lemon juice, 3/4 cup sugar, 6 cups

4. Triple the recipe: How much lemon juice needed?

Work:

Answer: _____

5. Triple the recipe: How much sugar needed?

Work:

Answer: _____

6. Triple batch makes how many cups of lemonade?

Work:

Answer: _____

7. Half batch: How much lemon juice?

Work:

Answer: _____

Part 3: Pricing & Profit (Multiplication)

Selling price: \$2.00 per cup. Cost to make: \$0.50 per cup.

8. What is the profit per cup (price minus cost)?

Work:

Answer: _____

9. Revenue from selling 45 cups?

Work:

Answer: _____

10. Total profit from 45 cups?

Work:

Answer: _____

11. How many cups to earn \$60 profit?

Work:

Answer: _____

Part 4: Time Management (Elapsed Time)

Stand hours: 10:00 AM to 2:00 PM

12. How many hours is the stand open?

Work:

Answer: _____

13. 45 cups in 4 hours. Average cups per hour?

Work:

Answer: _____

14. 2 minutes per customer. Customers per hour?

Work:

Answer: _____

15. If you start setup at 9:15 AM and need 45 min, when do you finish?

Work:

Answer: _____

Part 5: Data Analysis (Statistics)

Week 1 sales: Mon 38, Tue 42, Wed 45, Thu 52, Fri 48

16. Total cups sold this week?

Work:

Answer: _____

17. Average daily sales?

Work:

Answer: _____

18. Range of daily sales?

Work:

Answer: _____

19. If Saturday sells 20% more than average, how many cups?

Work:

Answer: _____

Part 6: Growth Patterns (Algebra)

Sales growth: Week 1: 225, Week 2: 270, Week 3: 315, Week 4: 360

20. What is the pattern (how many cups added each week)?

Work:

Answer: _____

21. Predict Week 5 sales.

Work:

Answer: _____

22. Write an equation for the pattern (let w = week number).

Work:

Answer: _____

Part 7: Stand Layout (Geometry)

Stand space: 8 ft \times 6 ft. Table: 4 ft \times 2 ft. Cooler: 2 ft \times 2 ft.

23. What is the total area of your stand space?

Work:

Answer: _____

24. What is the perimeter (for decorative ribbon)?

Work:

Answer: _____

25. Area remaining after placing table and cooler?

Work:

Answer: _____

Part 8: Final Business Report (All Skills)

26. Week 1 Revenue: $225 \text{ cups} \times \$2.00 = ?$

Work:

Answer: _____

27. Week 1 Costs: $225 \text{ cups} \times \$0.50 = ?$

Work:

Answer: _____

28. Week 1 Net Profit: Revenue minus Costs = ?

Work:

Answer: _____

29. If you save 1/2 of profit and reinvest 1/2, how much each?

Work:

Answer: _____

30. Goal: \$500 profit. At \$1.50 profit per cup, how many cups needed?

Work:

Answer: _____

Congratulations, Fourth Grade Mathematician!

You've completed an entire year of real-world mathematics! You can now:

- ✓ Work with numbers to millions and decimals to hundredths
- ✓ Add, subtract, multiply, and divide with confidence
- ✓ Use fractions in recipes, measurements, and comparisons
- ✓ Calculate area, perimeter, and convert between units
- ✓ Analyze data, find averages, and make predictions
- ✓ Manage time and plan schedules
- ✓ Recognize patterns and write algebraic equations
- ✓ Apply mathematics to real business decisions

You're ready for fifth grade and beyond. Great work!

About Global Sovereign University

"Building a Bridge to Freedom Through Education—Not Handouts"

Global Sovereign University is a 501(c)(3) educational foundation with a simple mission: We believe every person deserves access to quality education that builds real capabilities—not temporary fixes.

This textbook is provided FREE to students because learning should never be limited by economics. When you master mathematics, you gain tools for independence and success that no one can take away.

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www.globalsovereignuniversity.org

Teachers: A separate Teacher's Guide with complete answer keys, lesson plans, pacing guides, and assessment rubrics is available for purchase to support your instruction.

About the Author

Author | Historian | Educator | Visionary

His work with GSU focuses on ending economic poverty through capability-building education delivered by retired professional mentors called "Civilization Builders."

His other works include the "History of the Americans" series (6 volumes), the "Teach a Man to Fish" trilogy, the "Survival in an AI World" series (4 volumes), and numerous guides on mathematics education, personal development, and relationship psychology. He hosts the "Voice of Sovereignty" podcast, which reaches global audiences in ten languages.

Dr. Constant believes that every human being bears the image of God and possesses untapped potential waiting to be awakened. This theological conviction drives his life's work of helping people move from dependency to sovereignty, from poverty to flourishing, and from ignorance to capability.

Dr. Gene A Constant, DBA, is a prolific American author and the founder of the Foundation for Global Instruction. With more than 100 published titles ranging from civic education to self-help, business, leadership, and history, Dr. Constant's mission is to empower individuals through knowledge, legacy, and personal transformation.

A veteran of both the United States Navy and the United States Marine Corps, he combines firsthand experience in service and discipline with decades of scholarship. His honors include being inducted into the Phi Theta Kappa Honor Society (1983) and his gubernatorial appointment as Honorary Lieutenant Colonel Aide-de-camp in the Alabama National Guard (1975).

Raised in Springfield, Illinois—just blocks from the legacy of Abraham Lincoln—Dr. Constant carries forward the American tradition of principled leadership. His writing speaks to parents, teachers, dreamers, and defenders of liberty, blending patriotic themes with personal testimony and historical insight. His most notable works include

There Can Be a Better Life, The Second American Civil War (2024), Digital Farm, and Guardian Angel of the American Spirit.

He is also the visionary behind “Legacy Learning for the Common Man,” a global adult education initiative that champions traditional values, multilingual instruction, and practical knowledge for all.

Multilingual Closing:

中文: 我的作品是献给全世界读者的。 (My works are dedicated to readers around the world.)

हिंदी: मेरी पुस्तकों का उद्देश्य सबको सशक्त और प्रेरित करना है। (The purpose of my books is to empower and inspire everyone.)

العربية: كتبى تهدف إلى نشر المعرفة والأمل بين الناس جميعاً (My books aim to spread knowledge and hope among all people.)

For more information about Global Sovereign University and the Civilization Builder program, visit GlobalSovereignUniversity.org

